

# 9.xi.

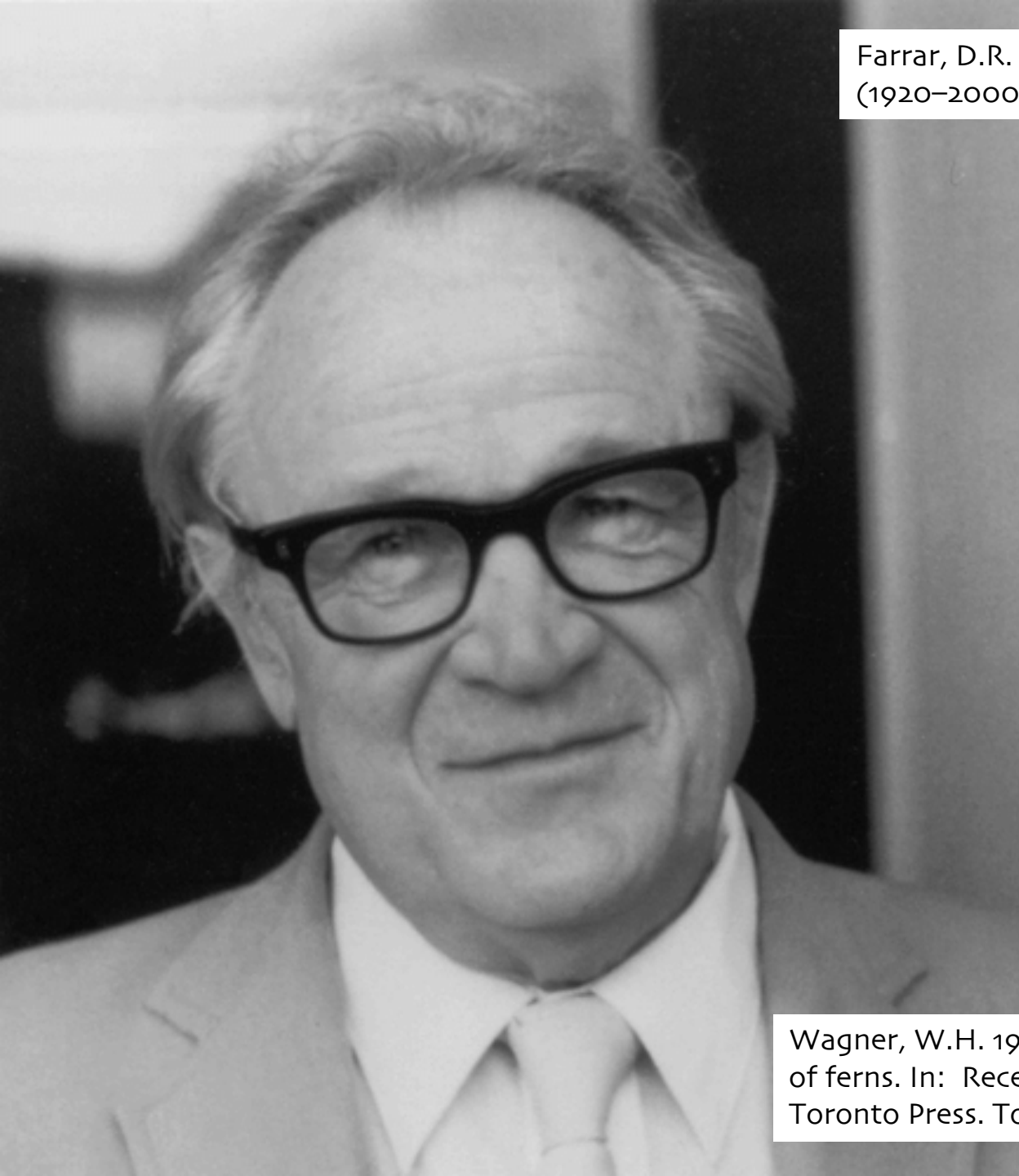
1. Wagner algorithm
2. outgroup
3. homoplasy & homology
4. character congruence
5. summary
6. home exercise

# Wagner algorithm



Kluge, A. G. & Farris, J. S. 1969. Quantitative phyletics and the evolution of anurans. *Systematic Zoology* 18:1-32.

Farris, J. S. 1970. Methods for computing Wagner trees. *Systematic Zoology* 19:83-92.



Farrar, D.R. 2002. Obituary: Warren H. Wagner, Jr. (1920–2000). *American Fern Journal* 92:39-49.

Wagner, W.H. 1961. Problems in the classification of ferns. In: *Recent advances in botany*. Univ. Toronto Press. Toronto pp. 841-844.

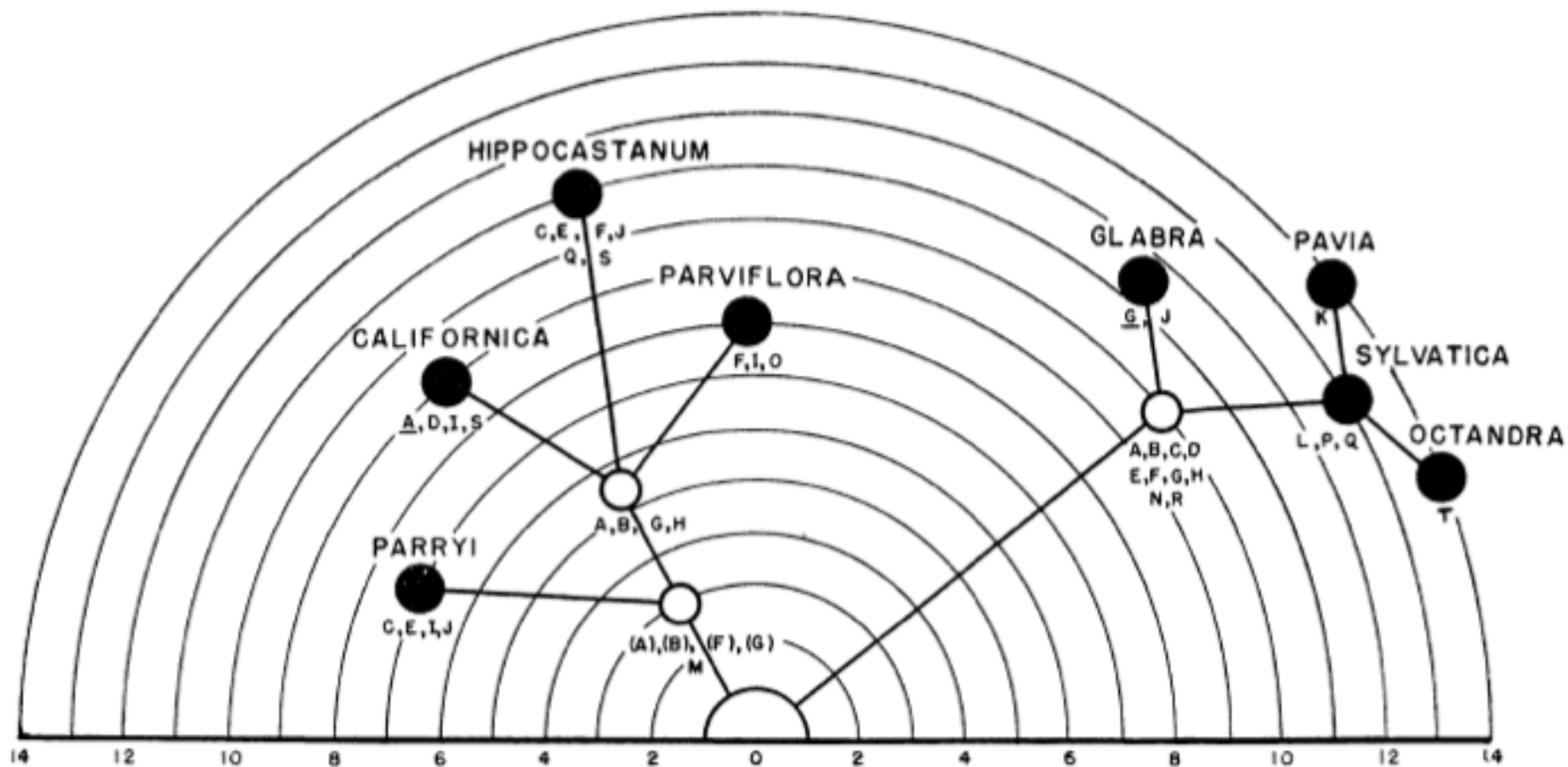


FIG. 15. Evolution in *Aesculus*.

Hardin, J. W. 1957. A revision of the American Hippocastanaceae. *Brittonia* 9:145-171.

# Wagner algorithm

Lipscomb pp. 16-18:  
upper part of p. 16

```
A    1000110001
C    0000000011
differences: 1    11    1
```

```
A    1000110001
C    0000000011
differences: 1    11    1
```

error on upper part of p. 18:

that characters 1,5,6, and 10 .....

should read:

that characters 2,3,7,8, and 10.....

# Wagner algorithm

page 13:

1. Find the organism with the lowest number of derived character states and connect it to the outgroup

in practice ANY of the organisms can be used as outgroup

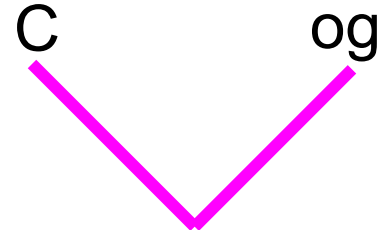
next search for a terminal to pair with it so that the number of observed differences between the two are minimized

1 2 3 4 5 6 7 8 9 10 differences from outgroup

og	0	0	0	0	0	0	0	0	0	0	-
A	1	0	0	0	1	1	0	0	0	1	4
B	1	0	0	0	1	0	0	0	0	1	3
C	0	0	0	0	0	0	0	0	1	1	2
D	0	1	1	0	0	0	1	1	0	1	5
E	0	1	1	1	0	0	0	1	0	1	5

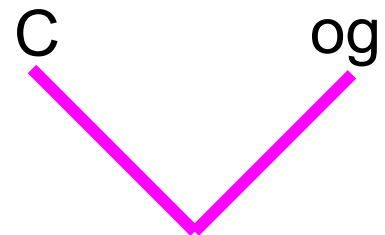
Wagner formula

$$d(A, B) = \sum | X(A_i) - X(B_i) |$$

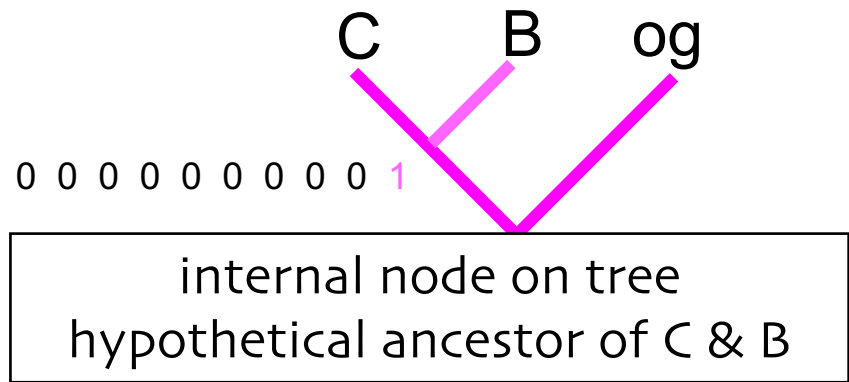




	1	2	3	4	5	6	7	8	9	10	differences from outgroup
og	0	0	0	0	0	0	0	0	0	0	-
A	1	0	0	0	1	1	0	0	0	1	4
B	1	0	0	0	1	0	0	0	0	1	3
C	0	0	0	0	0	0	0	0	1	1	2
D	0	1	1	0	0	0	1	1	0	1	5
E	0	1	1	1	0	0	0	1	0	1	5



	1	2	3	4	5	6	7	8	9	10	
											differences from outgroup
og	0	0	0	0	0	0	0	0	0	0	-
A	1	0	0	0	1	1	0	0	0	1	4
B	1	0	0	0	1	0	0	0	0	1	3
C	0	0	0	0	0	0	0	0	1	1	2
D	0	1	1	0	0	0	1	1	0	1	5
E	0	1	1	1	0	0	0	1	0	1	5



1 2 3 4 5 6 7 8 9 10 differences from outgroup

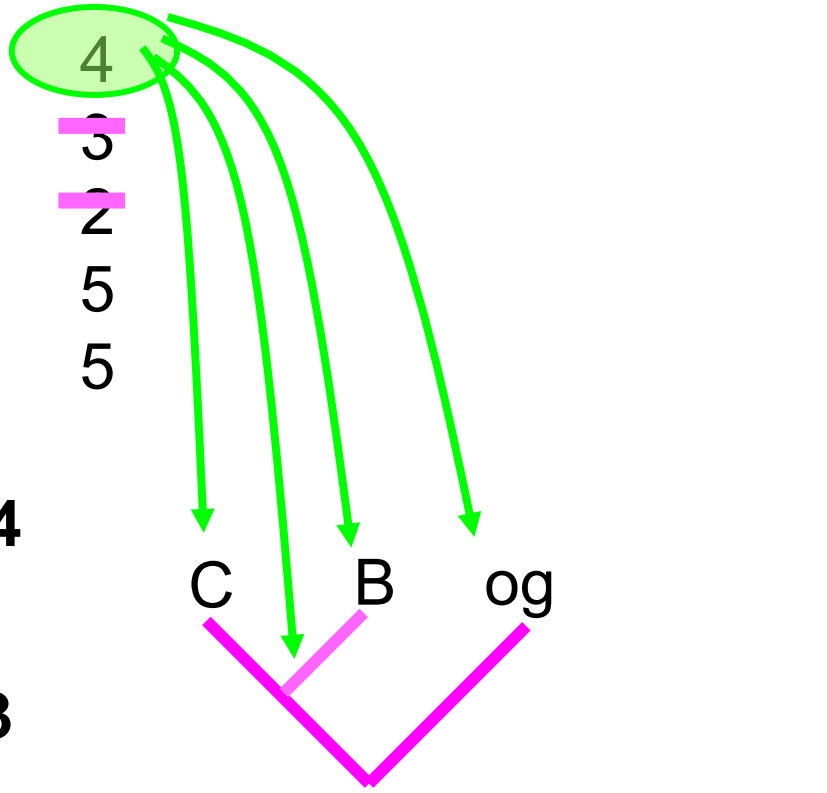
og	0	0	0	0	0	0	0	0	0	0	-
A	1	0	0	0	1	1	0	0	0	1	4
B	1	0	0	0	1	0	0	0	0	1	5
C	0	0	0	0	0	0	0	0	1	1	2
D	0	1	1	0	0	0	1	1	0	1	5
E	0	1	1	1	0	0	0	1	0	1	5

A	1	0	0	0	1	1	0	0	0	1	4
C	0	0	0	0	0	0	0	0	1	1	

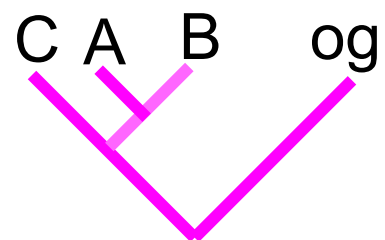
A	1	0	0	0	1	1	0	0	0	1	3
BC	0	0	0	0	0	0	0	0	0	1	

A	1	0	0	0	1	1	0	0	0	1	1
B	1	0	0	0	1	0	0	0	0	1	

A	1	0	0	0	1	1	0	0	0	1	4
og	0	0	0	0	0	0	0	0	0	0	



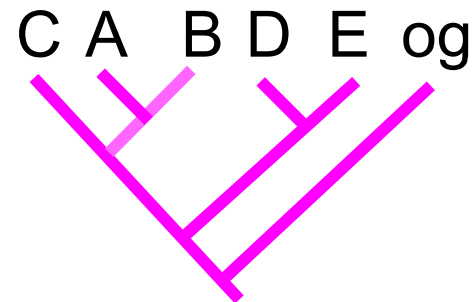
	1	2	3	4	5	6	7	8	9	10	differences from outgroup
og	0	0	0	0	0	0	0	0	0	0	-
A	1	0	0	0	1	1	0	0	0	1	4
B	1	0	0	0	1	0	0	0	0	1	3
C	0	0	0	0	0	0	0	0	1	1	2
D	0	1	1	0	0	0	1	1	0	1	5
E	0	1	1	1	0	0	0	1	0	1	5



continued until  
all terminals are  
included

	1	2	3	4	5	6	7	8	9	10	differences from outgroup
og	0	0	0	0	0	0	0	0	0	0	-
A	1	0	0	0	1	1	0	0	0	1	4
B	1	0	0	0	1	0	0	0	0	1	3
C	0	0	0	0	0	0	0	0	1	1	2
D	0	1	1	0	0	0	1	1	0	1	5
E	0	1	1	1	0	0	0	1	0	1	5

the problem of Wagner algorithm is that the order where terminals are added to tree affects the tree finally obtained



continued until all terminals are included

	1	2	3	4	5	6	7	differences from taxon C
A	1	0	0	1	1	1	1	4
B	0	1	0	0	1	0	1	6
C	0	0	1	1	0	1	0	-
D	0	0	0	1	0	0	1	3

Wagner formula

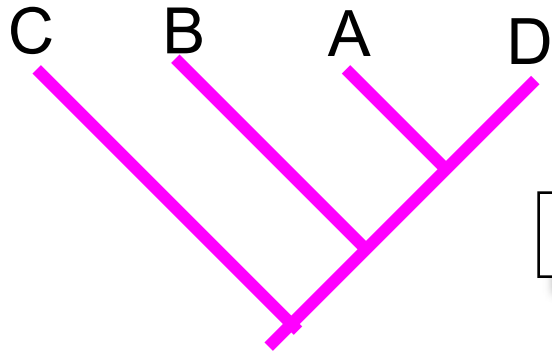
C defined as outgroup

$$d(A, B) = \sum | X(A_i) - X(B_i) |$$

Lipscomb pp. 34-35

	1	2	3	4	5	6	7	differences from taxon C
A	1	0	0	1	1	1	1	4
B	0	1	0	0	1	0	1	6
C	0	0	1	1	0	1	0	—
D	0	0	0	1	0	0	1	3

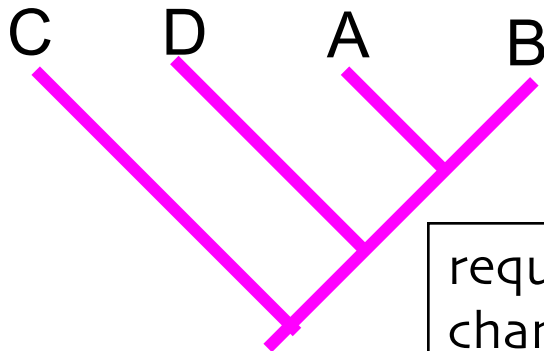
Wagner algorithm and starting from pair C & D will give tree:



10 evolutionary changes

	1	2	3	4	5	6	7	
A	1	0	0	1	1	1	1	4
B	0	1	0	0	1	0	1	6
C	0	0	1	1	0	1	0	—
D	0	0	0	1	0	0	1	3

however, a tree exists:



requiring only 9 character state changes

Wagner algorithm helps (A GREAT DEAL!) in finding optimal solutions BUT order of addition of terminals affects final tree obtained



# PARSIMONY



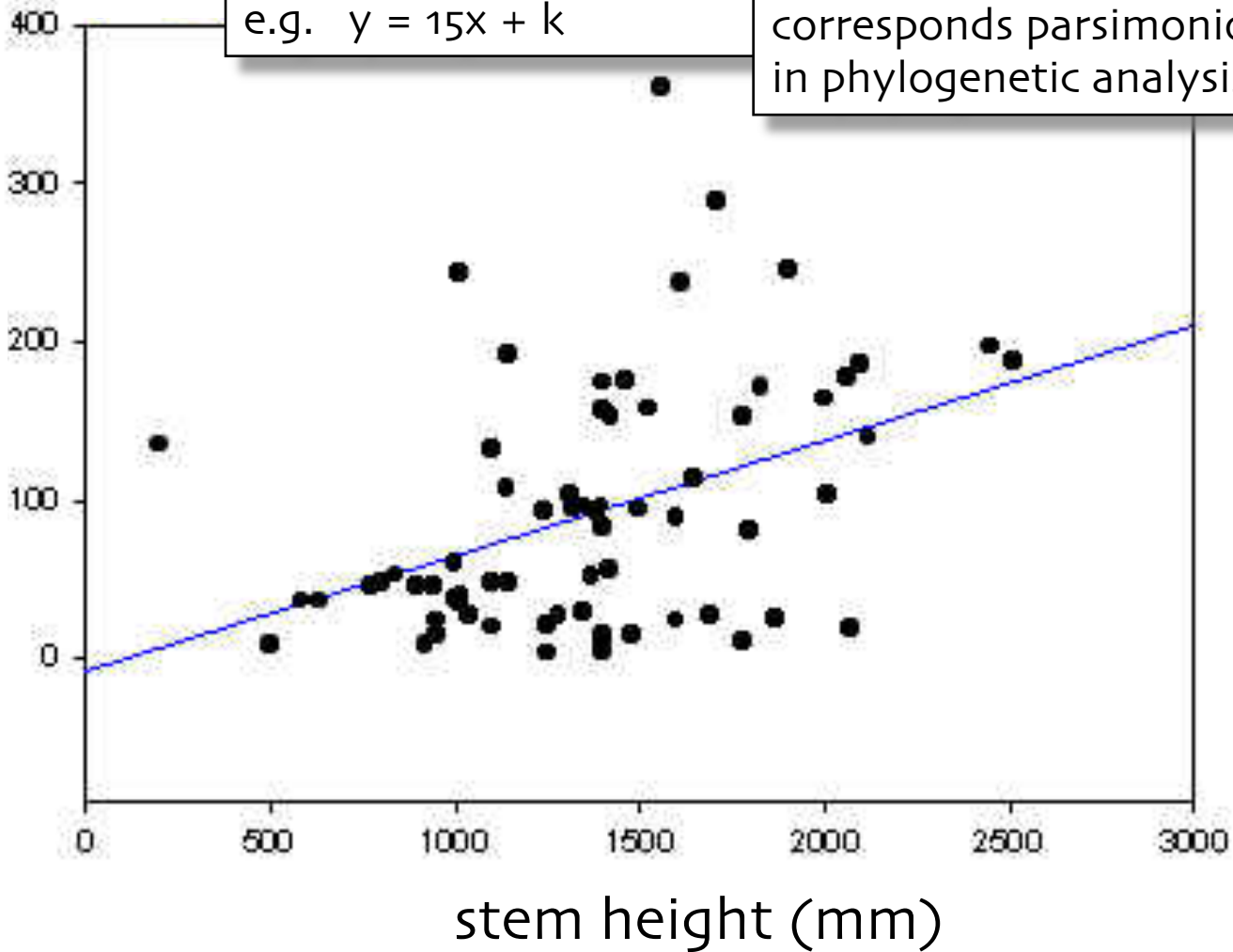
it has been erroneously claimed that use of parsimony as optimality criterion requires unrealistic assumption that evolution & evolutionary history are simple

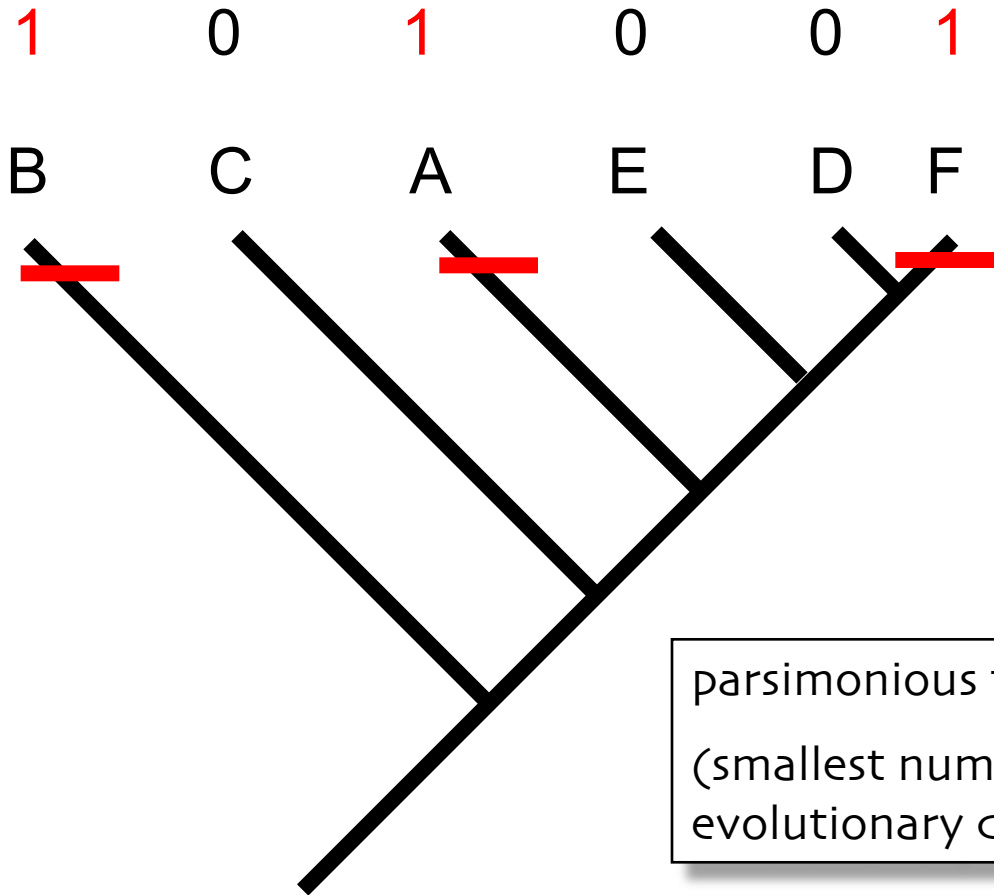
line represents dependence between two variables

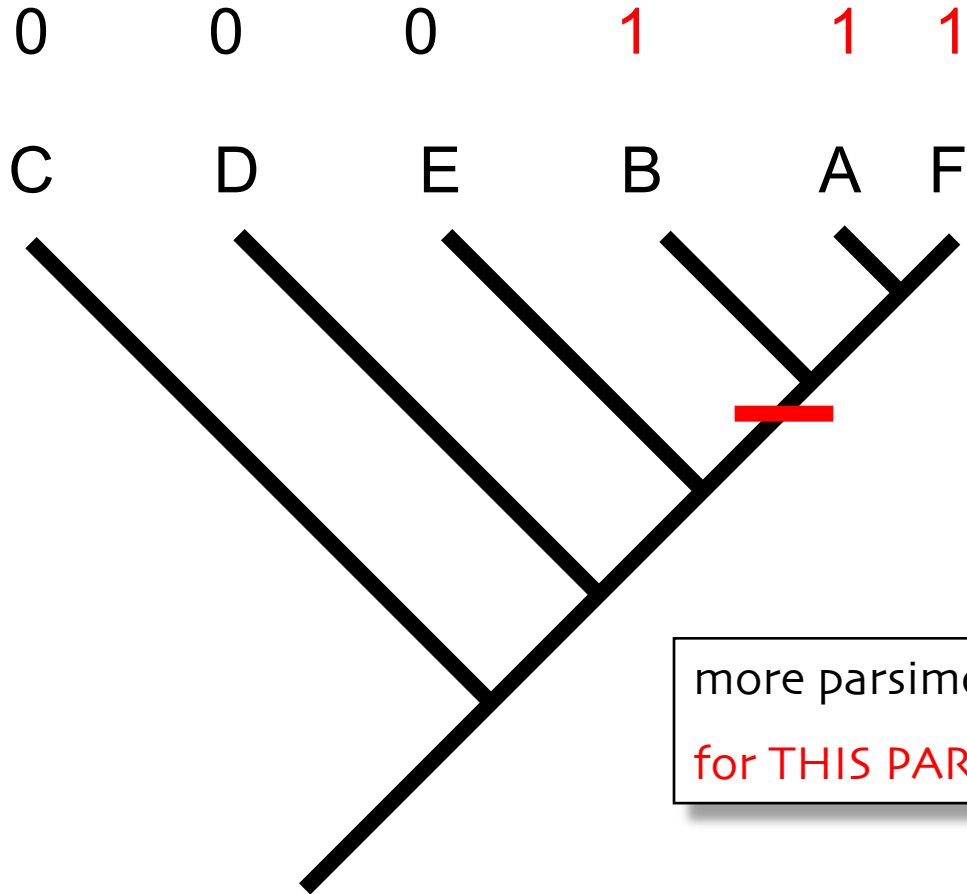
e.g.  $y = 15x + k$

corresponds parsimonious tree  
in phylogenetic analysis

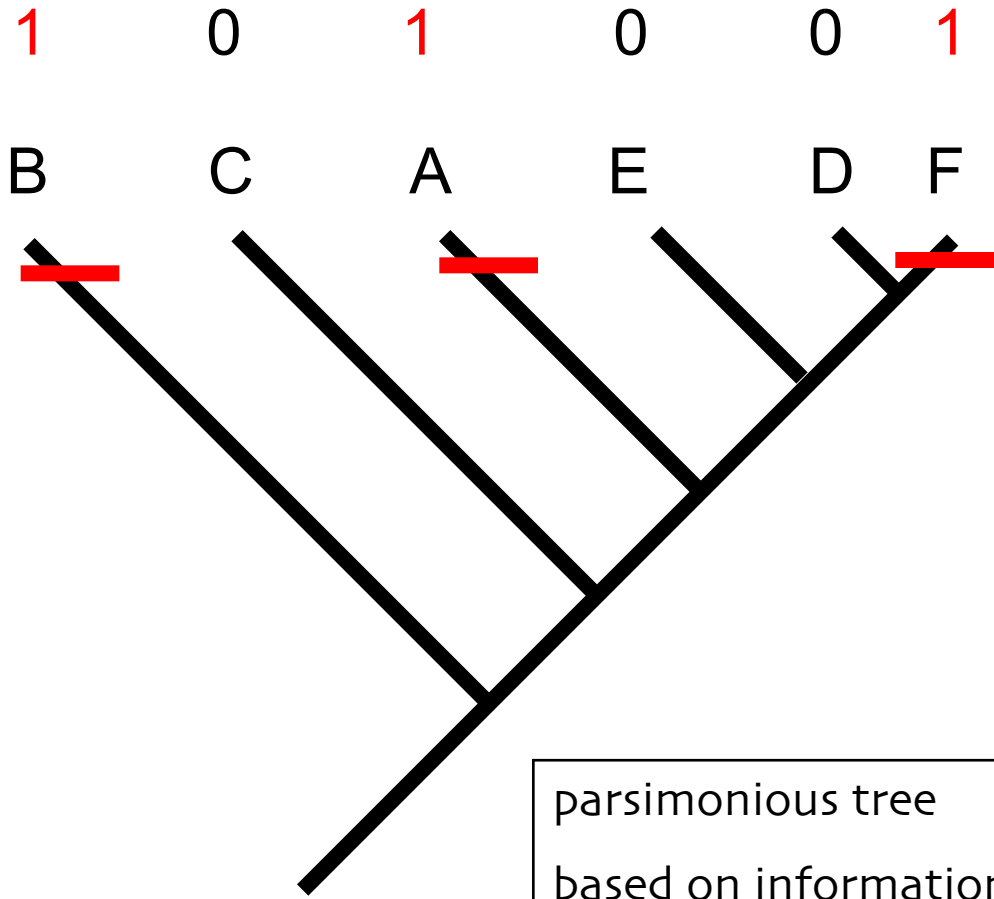
number  
of lvs



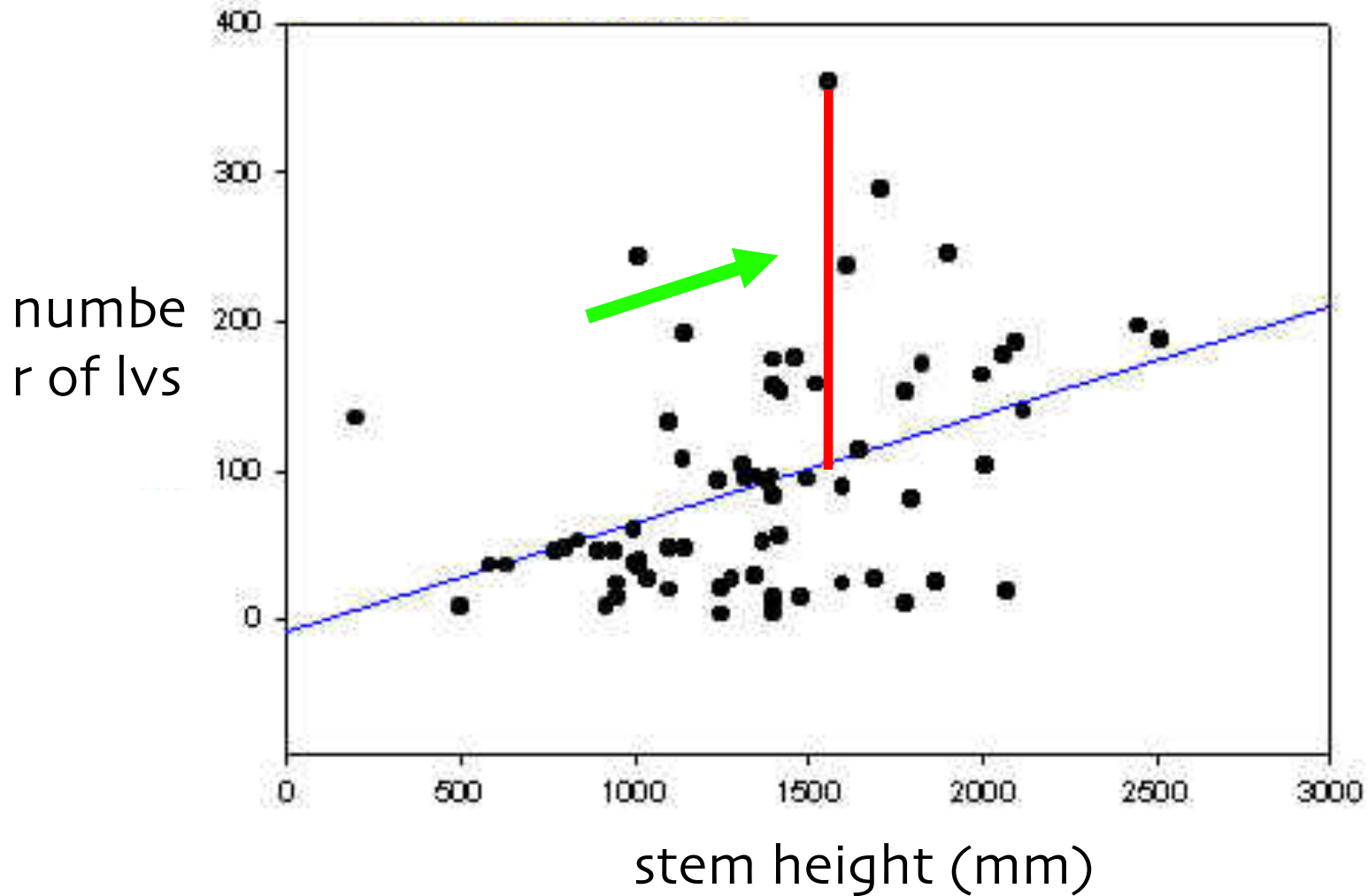




more parsimonious tree  
for THIS PARTICULAR character



$$d(A, B) = \sum | X(A_i) - X(B_i) |$$



# APOMORPHY

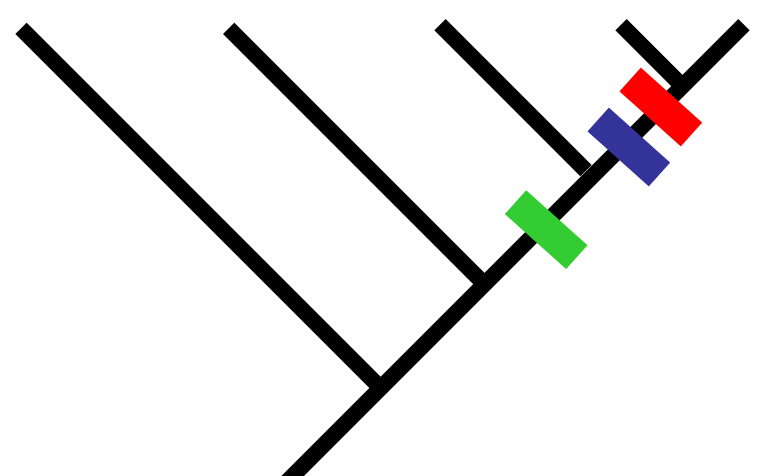
= evolutionary novelty

# PLESIOMORPHY

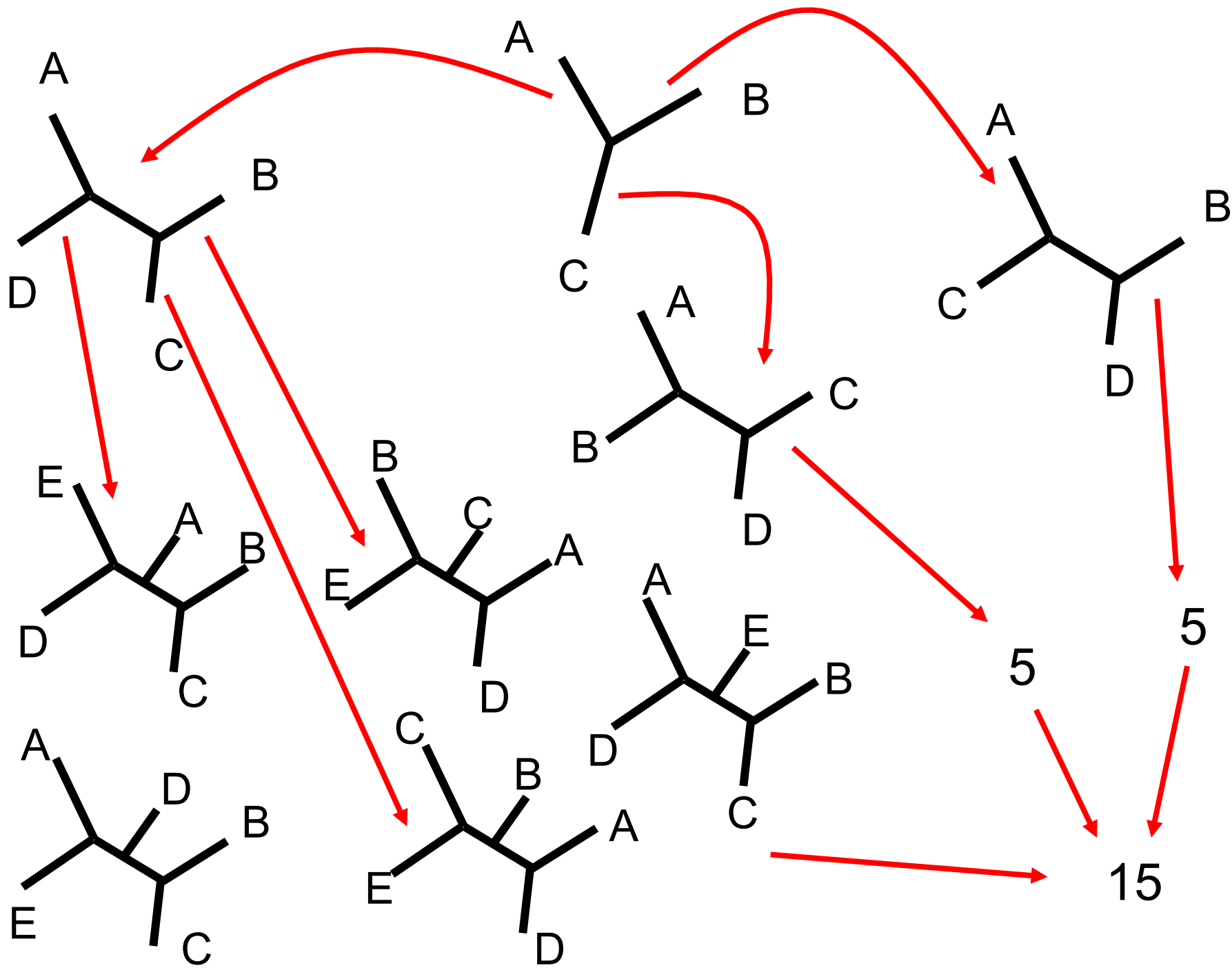
= OLD, inherited character

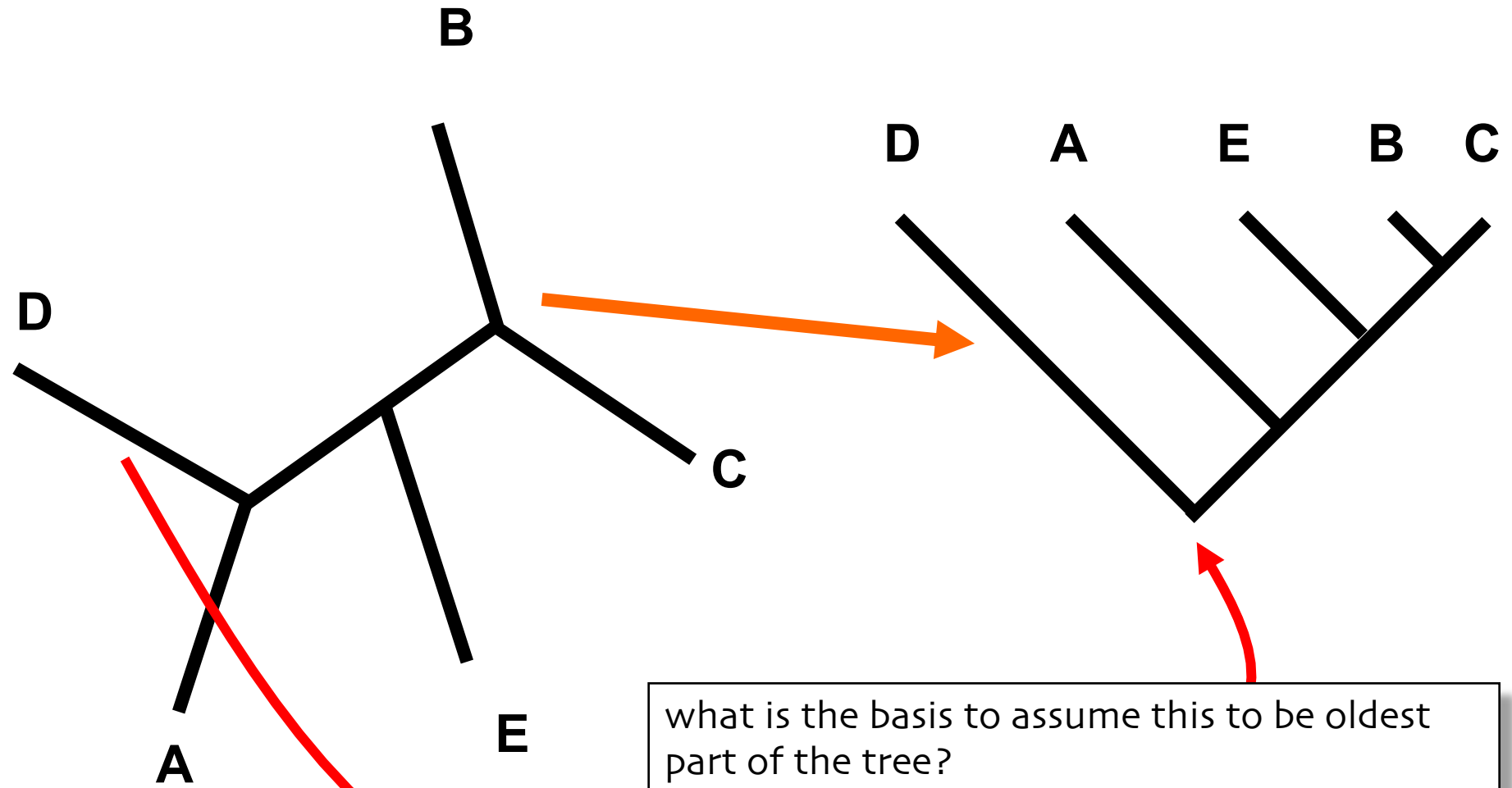
how to distinguish apo- & plesiomorphies?

how to introduce time in our hypothesis?

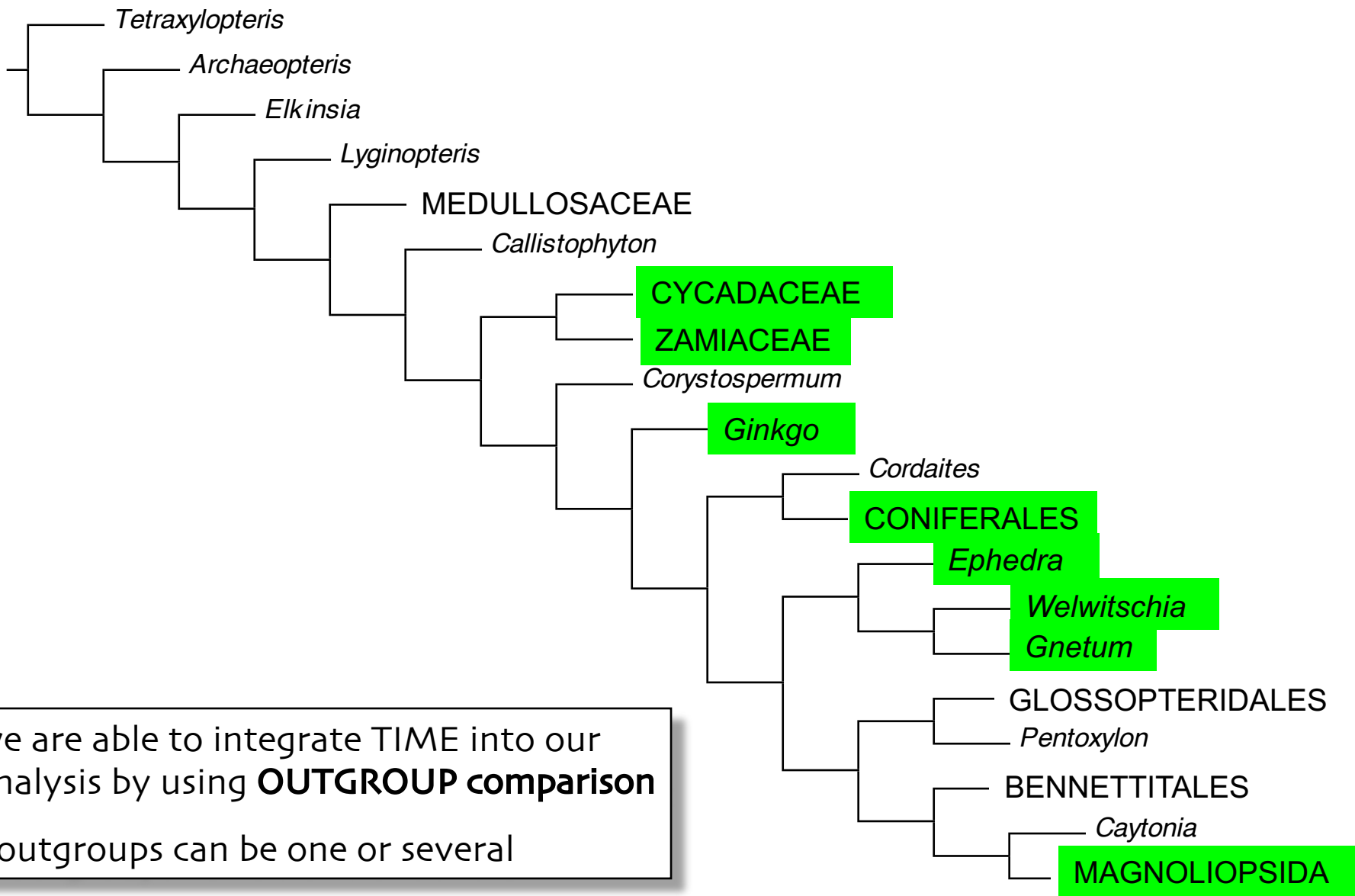






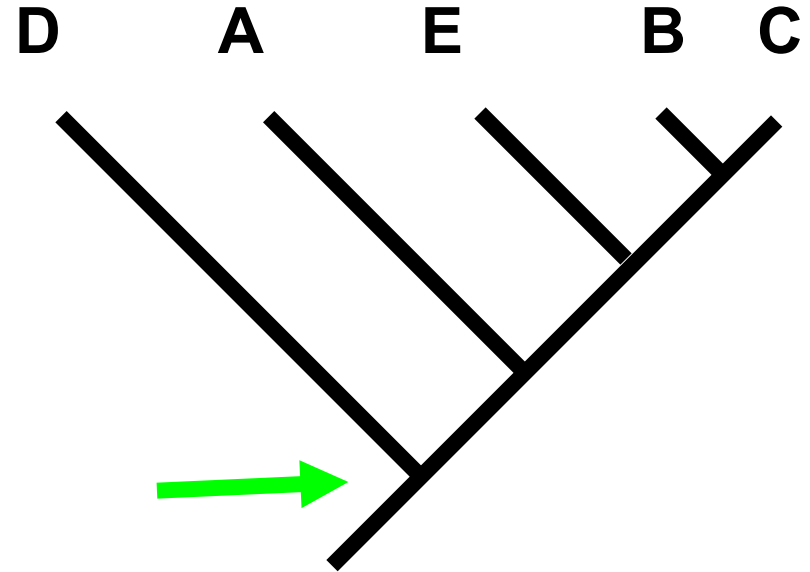
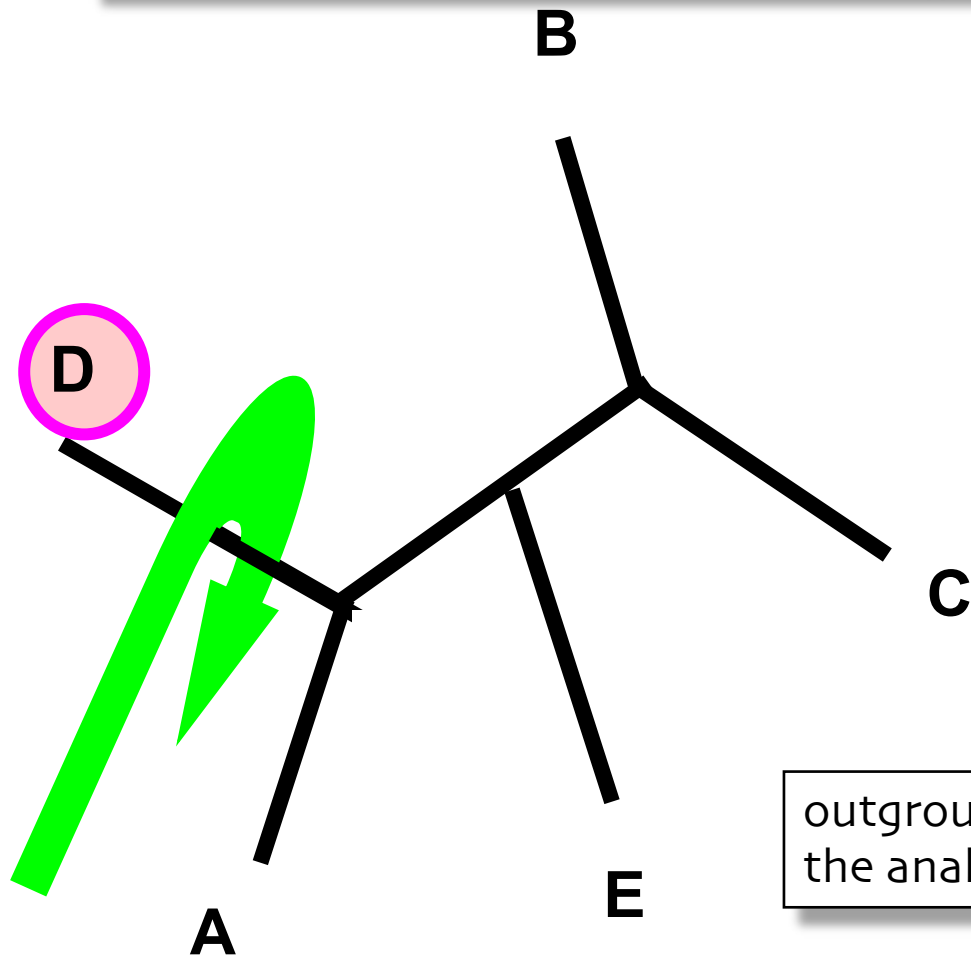


what is the basis to assume this to be oldest part of the tree?



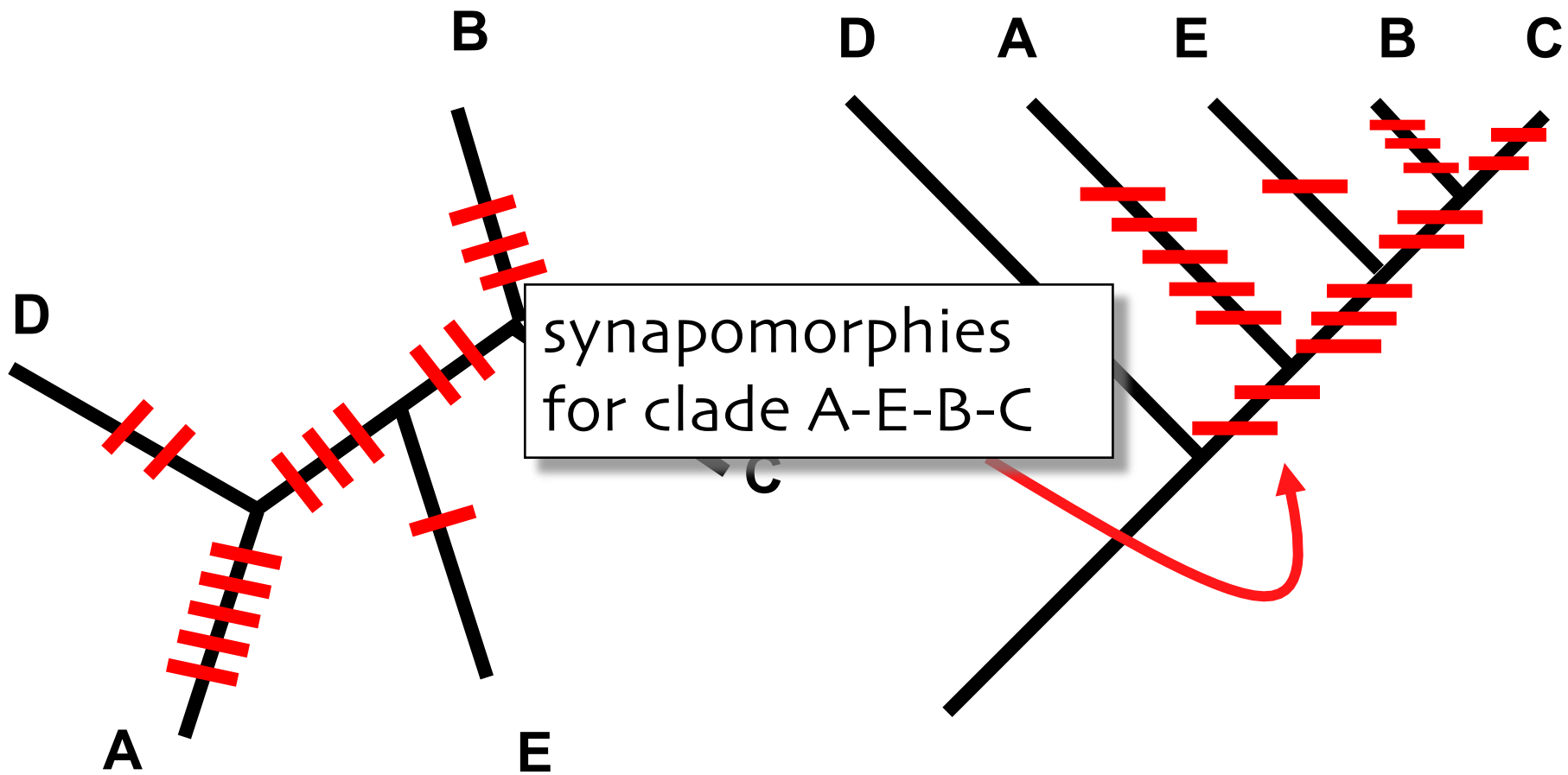
we are able to integrate TIME into our analysis by using **OUTGROUP comparison**  
 - outgroups can be one or several

Nixon, K. & Carpenter, J. 1993. On outgroups. Cladistics 9: 413-426.

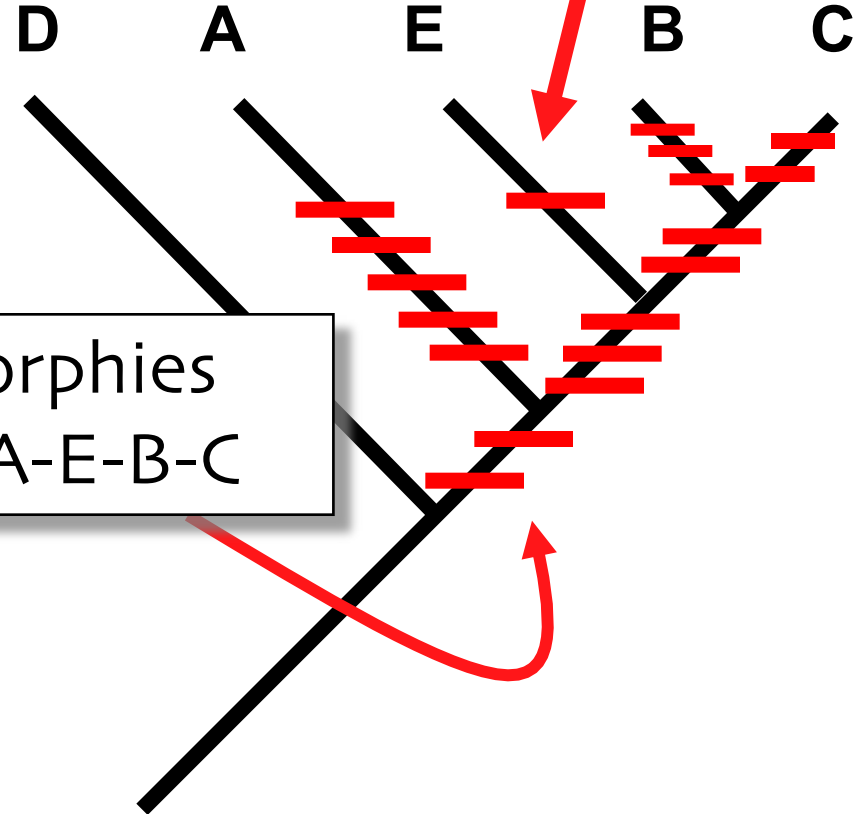


outgroup terminals should be treated in the analyses AS ANY OTHER TERMINAL

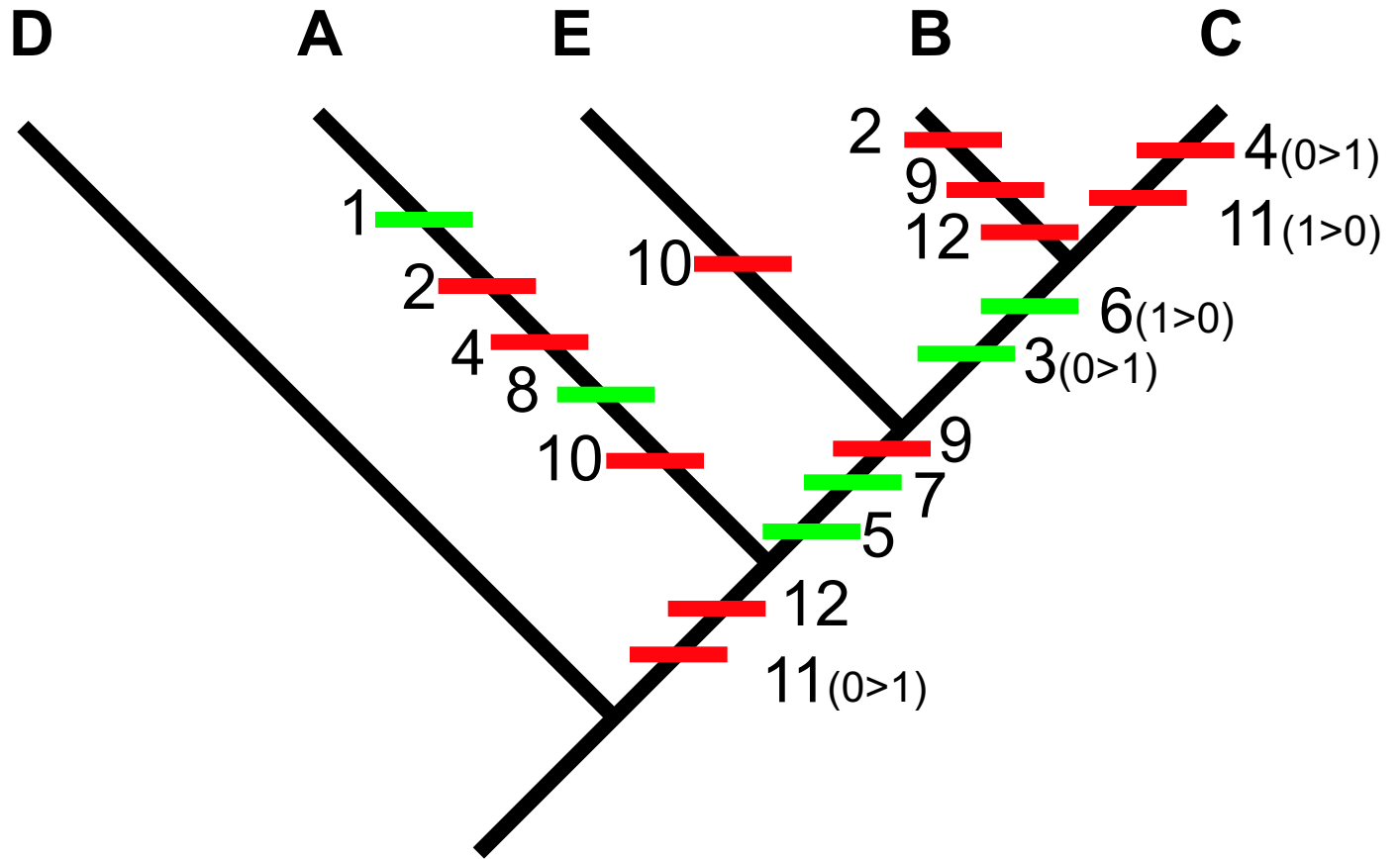
they should be included in the analyses FROM THE VERY START



autapomorphy  
for terminal E

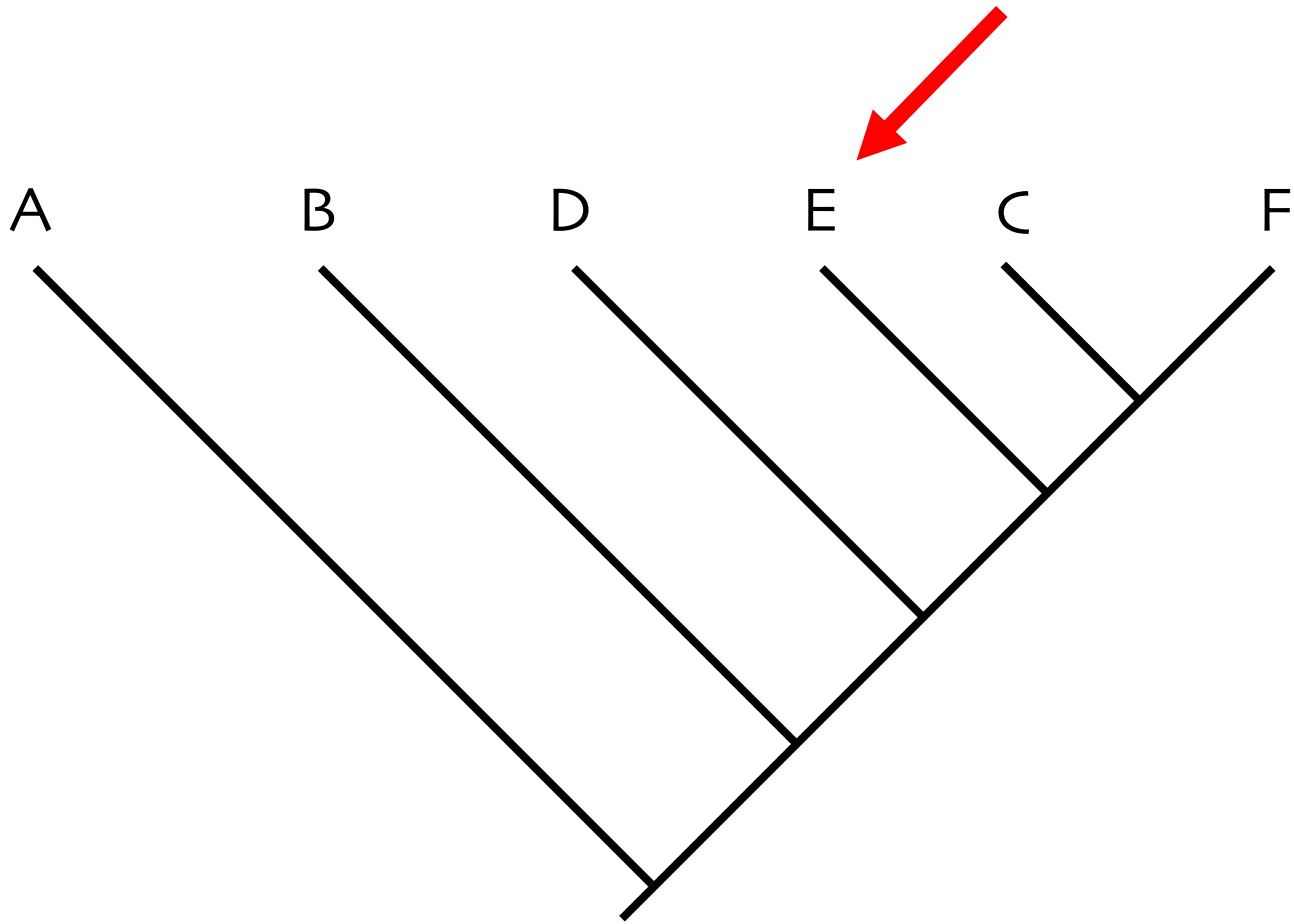


synapomorphies  
for clade A-E-B-C

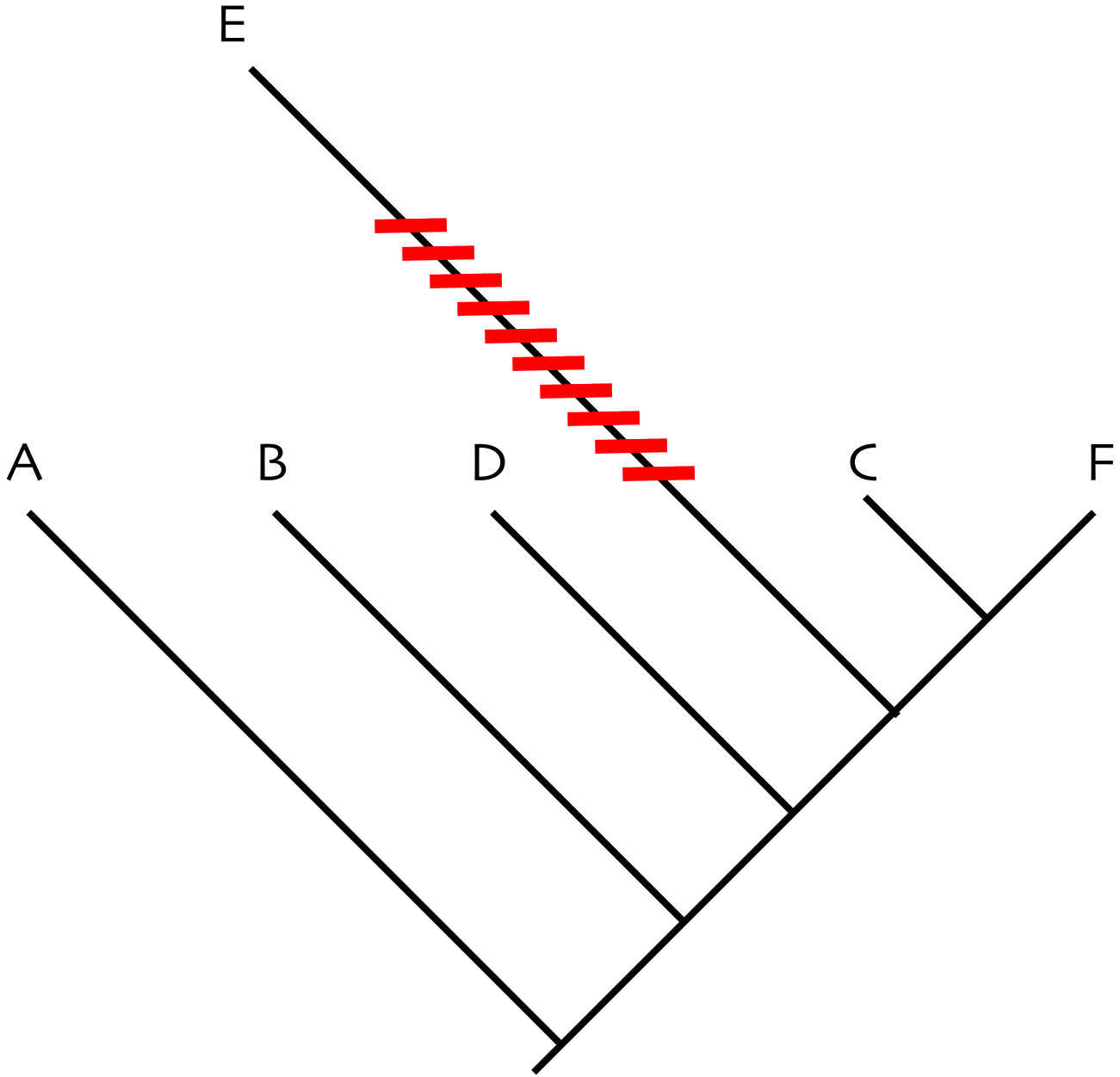


Based on previous classification spp.  
A-D & C & F belong to same genus

Species E has been distinguished as a genus of its own



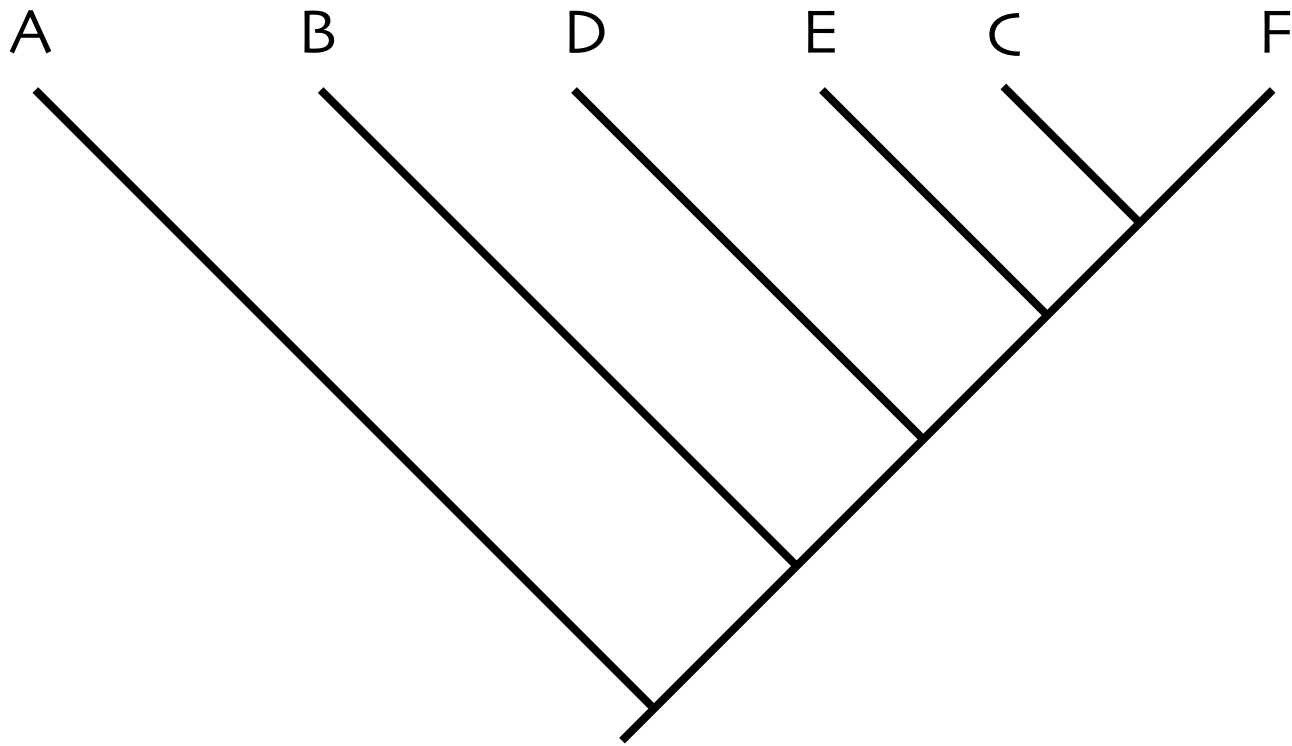




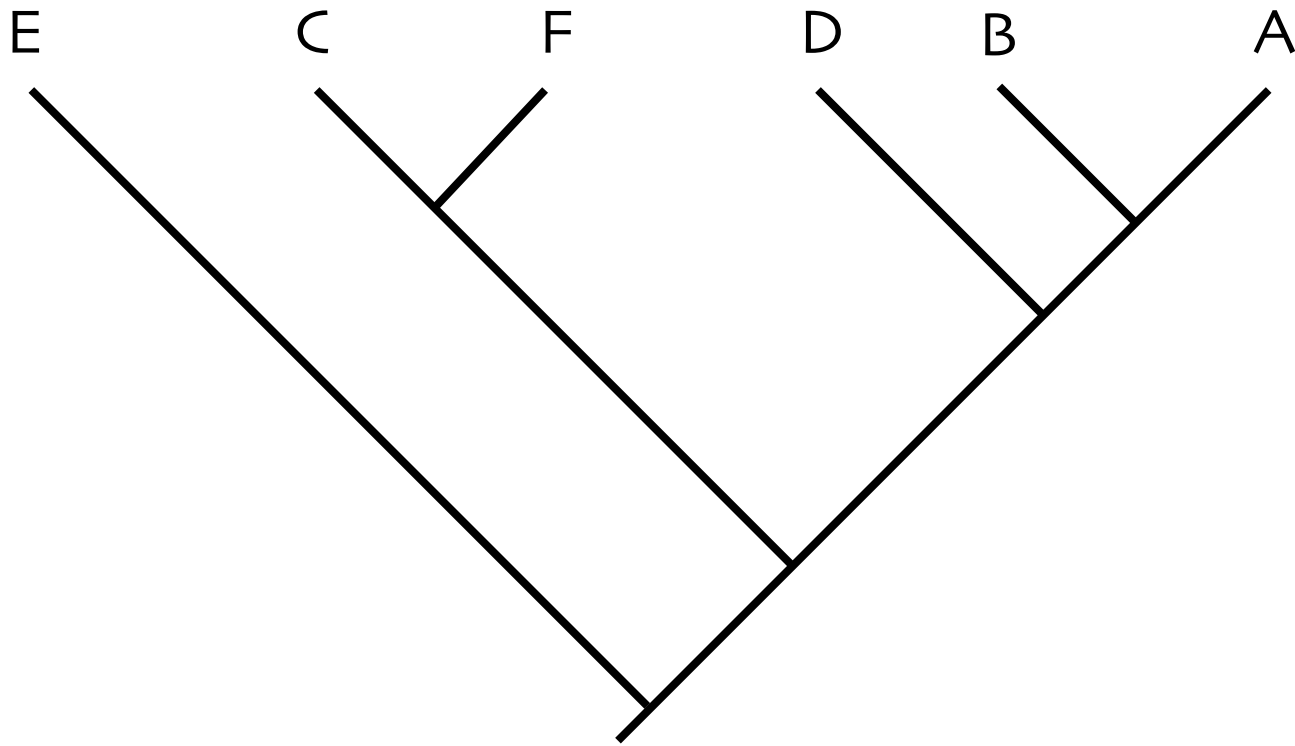
Based on previous classification spp.  
A-D & C & F belong to same genus

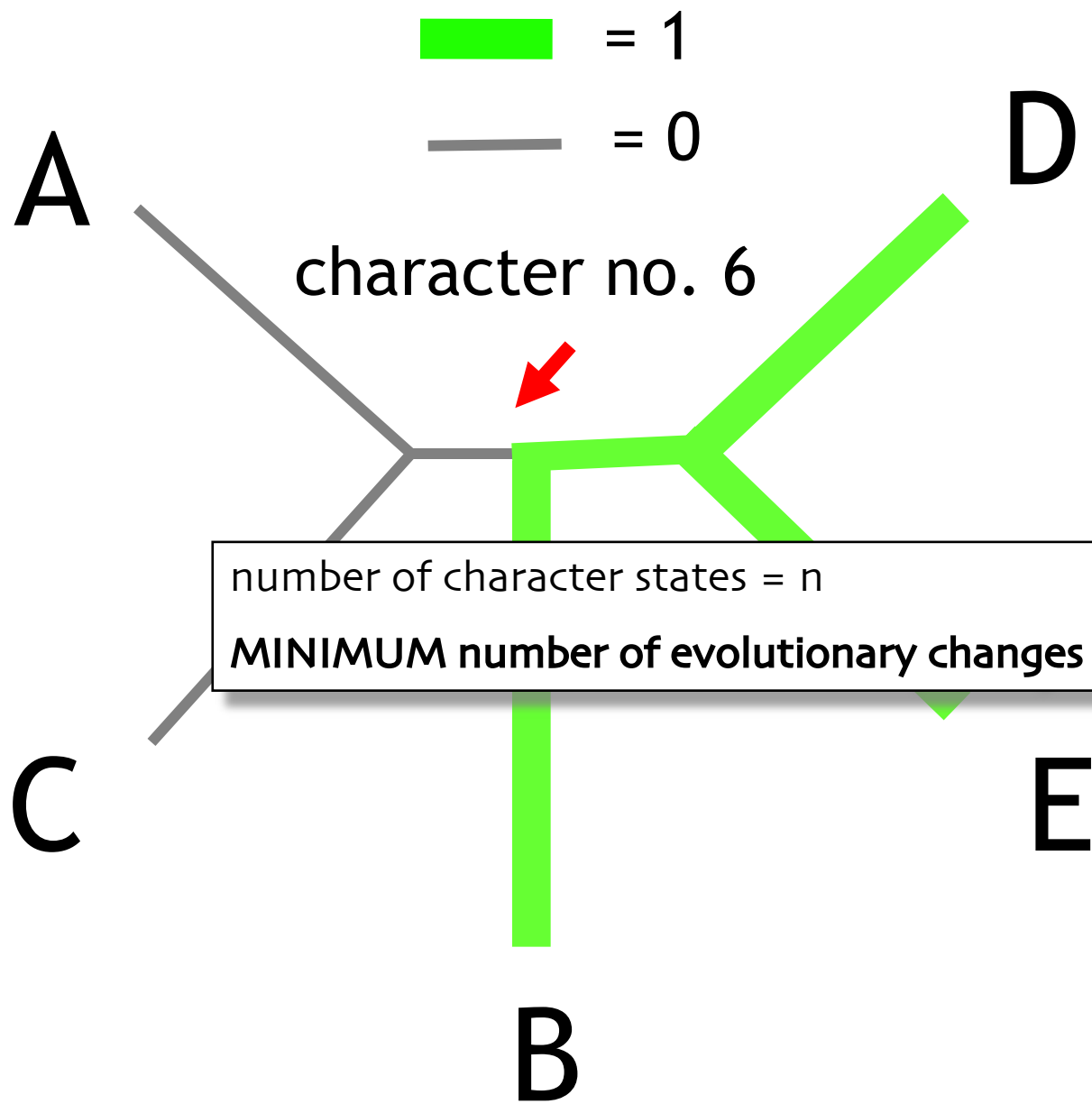
Species E has been distinguished as a genus of its own

If the species E would have been  
chosen as a sole outgroup this would  
have resulted in a tree →



in order to avoid these kind of mistakes it is recommended to use SEVERAL OUTGROUPS in analysis



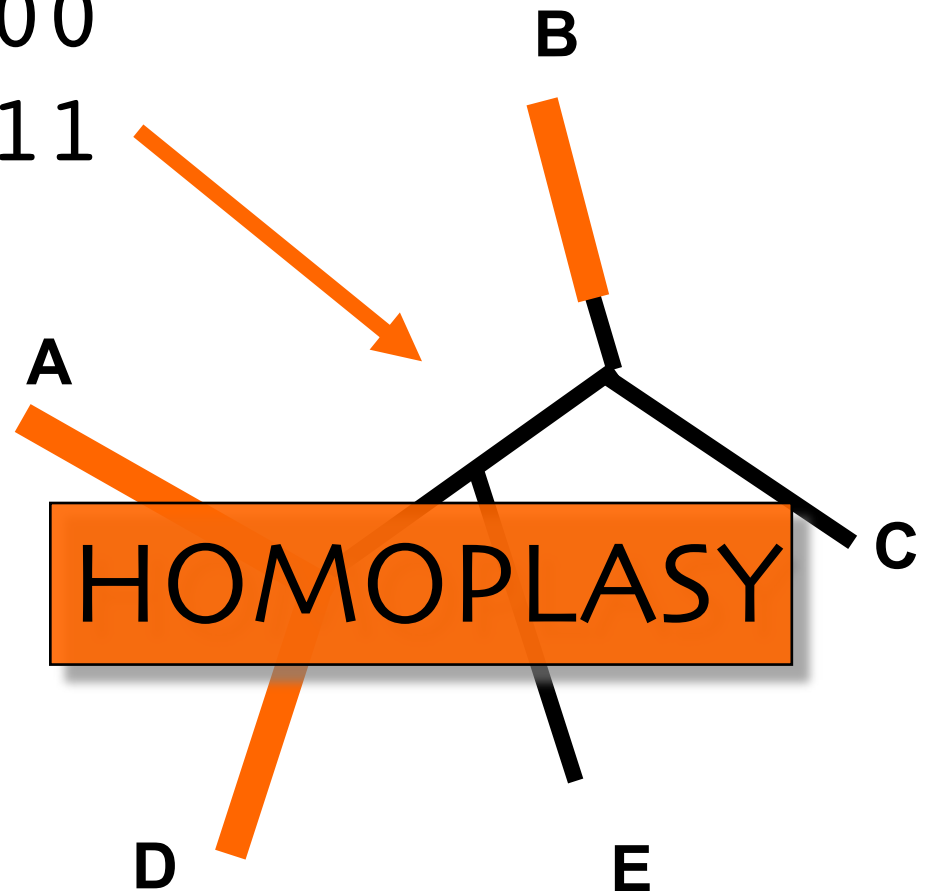


	characters												
	0	0	0	0	0	0	0	0	0	1	1	1	
trees	1	2	3	4	5	6	7	8	9	0	1	2	$\Sigma$
1	1	1	2	2	2	2	2	1	2	2	1	2	20
2	1	1	2	2	2	2	2	1	2	2	2	2	21
3	1	1	2	2	2	2	2	1	1	2	2	2	20
4	1	2	2	1	2	2	2	1	2	2	2	2	21
5	1	2	2	1	2	2	2	1	2	2	2	1	20
6	1	2	2	1	2	2	2	1	2	2	2	2	21
7	1	2	2	2	2	2	2	1	2	1	1	2	20
8	1	2	1	2	2	1	2	1	2	1	2	2	19
9	1	2	2	2	2	2	2	1	2	1	2	1	20
10	1	2	2	2	2	2	2	1	1	2	2	1	20
11	1	2	2	2	2	2	2	1	2	2	1	2	21
12	1	2	1	2	2	1	2	1	2	2	2	2	20
13	1	2	2	2	1	2	1	1	1	2	2	2	19
14	1	2	2	2	1	2	1	1	2	2	2	2	20
15	1	2	1	2	1	1	1	1	2	2	2	2	18

A	010111011111
B	111000101010
C	101100100001
D	100011001000
E	100001100111

(most) parsimonious, i.e.  
shortest tree 18 (16+2)  
evolutionary changes

e.g. character 9  
2 evolutionary changes  
also characters 2, 4, 10-12



# HOMOLOGY



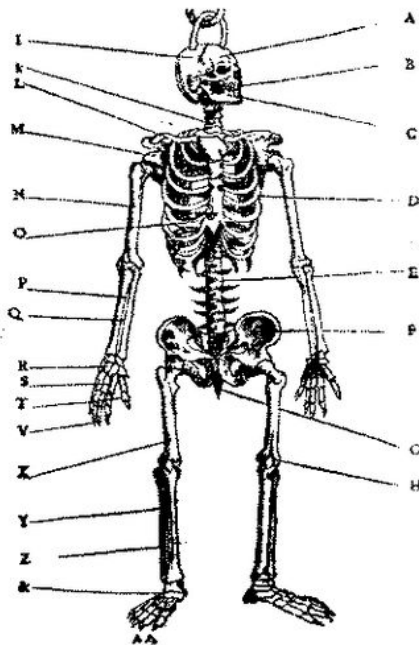
Richard Owen (1804-1892) originally presented (1848) concept of HOMOLOGY for similar structures of organisms that represent ARCHETYPE

# Pierre Belon (1517-1564)



## LIVRE I. DE LA NATURE

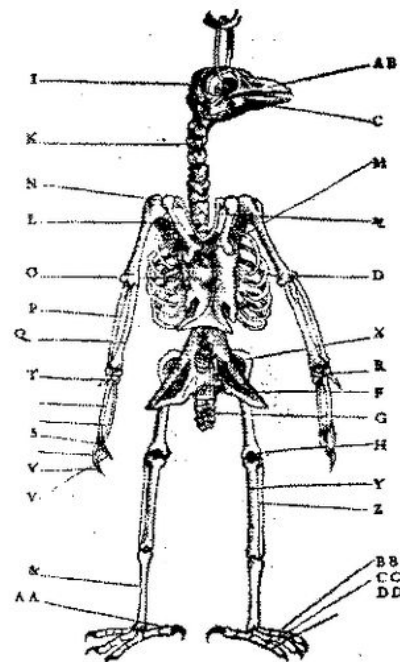
Portraict de l'amas des os humains, mis en comparaison de l'anatomie de ceux des oyseaux, faisant que les lettres d'icelle se rapportent à celle cy, pour faire apparaitre combien l'affinité est grande des vns aux autres.



## DES OYSEAVX, PAR P. BELON.

La comparaison du faldit portraict des os humains motifre ~~com~~ bien cestuy cy qui est d'un oyseau, en est prochain.

Portraict des os de l'oyseau.



A R Les Oyseaux n'ont dents ni levres, mais ont le bec tranchant fort au subtil, plus ou moins selon l'usage qu'ils ont eu à mettre en pieces ce dont ils vivent.  
 M Deux pulvres longs & estreints, l'un en chascun costé.  
 N Les os qu'on nomme la Lucette ou Fourchette n'est tranché, & n'est point animal, mais on en lesjoit.  
 D Six costes, attachés au coffre de l'estomach par deux, & aux six vertebres du dos par derrière.  
 E Les deux os des branches sont longs, car il n'y a aucune vertebre au desoubres des costes.  
 G Six os de la cuisse.  
 H Les os de la jambe.  
 I Les os de la tige n'apparissent gueres sans qu'il soit baulty.  
 K Deux vertebres au col, & six au dos.



# HOMOLOGY & ANALOGY

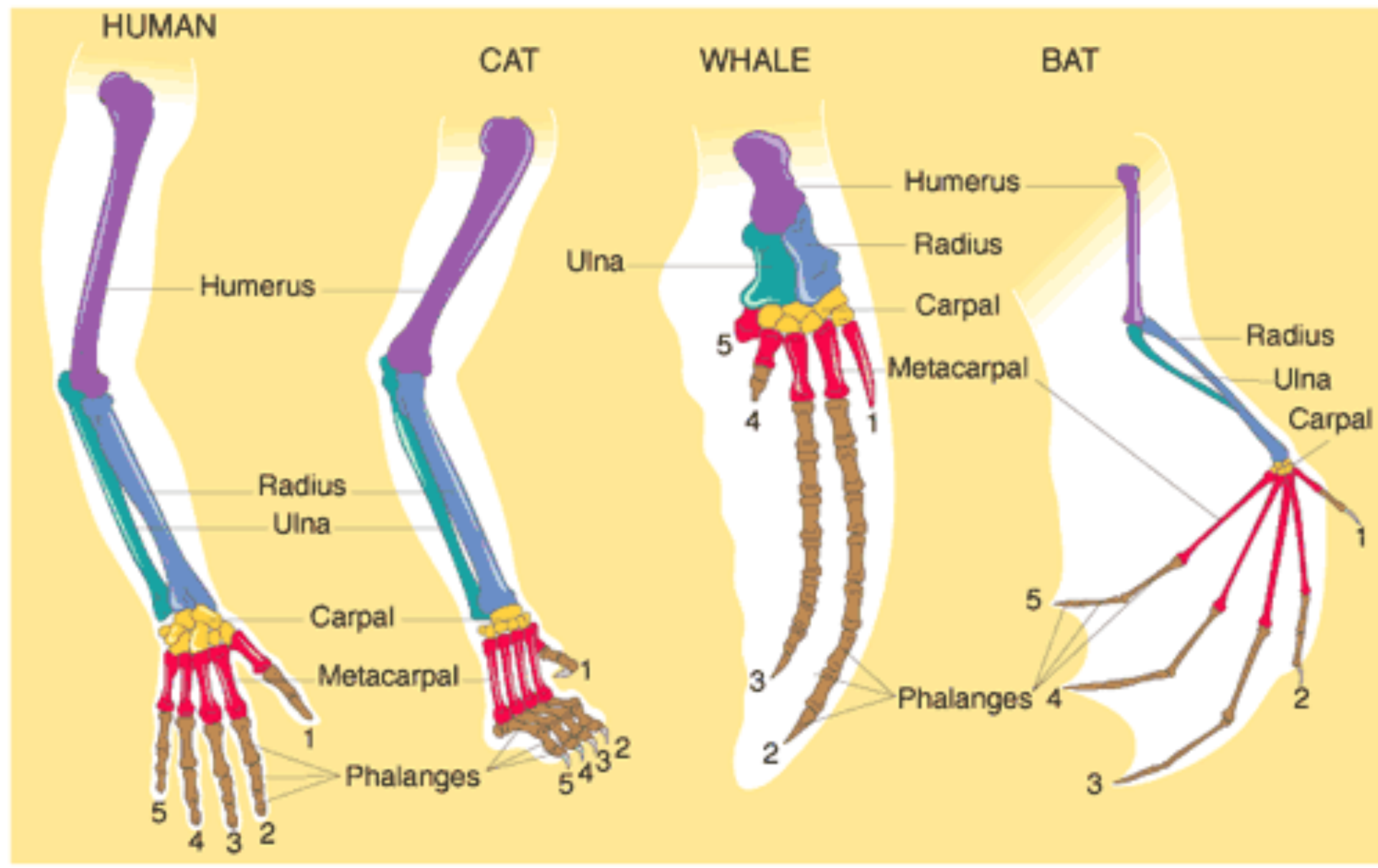


## HOMOLOGY

same organ in different animals under every variety of form and function

## ANALOGY

a part or organ in one animal which has the same function as **another** part or organ in a different animal



# HOMOLOGY & ANALOGY



homology informs about history, part of historical signal,  
ANALOGY does NOT

COMPARATIVE  
study of structures

~~analogy~~

homology

only these should be  
compared with each  
other

COMPARATIVE  
study of structures

analogy

homology

only these should be  
compared with each  
other

phylogenetic analysis

homoplasy

homology

**preliminary** assumption  
about homology failed

might still define SMALLER  
clades > **still valuable**

# HOMOLOGY & HOMOPLASY



characters are ALWAYS in conflict to some extent →  
**HOMOPLASY** = EXTRA STEPS, i.e. more ch. state changes than the minimum, AFTER phylogenetic analysis has been performed

homology informs about history, part of historical signal,  
homoplasy ONLY PARTIALLY, it is NOISE to some extent & at some level

# HOMOLOGY & HOMOPLASY

earlier assumptions about homology have to be denied (at least at this level)

**HOMOLOGY** = shared feature inherited from common ancestor

for example wings of birds & bats  
flippers of penguins & seals

homologies as limbs **NOT** as wings/flippers

homoplasy is due to convergence or reversals

e.g. during ontogeny development of structure is not completed

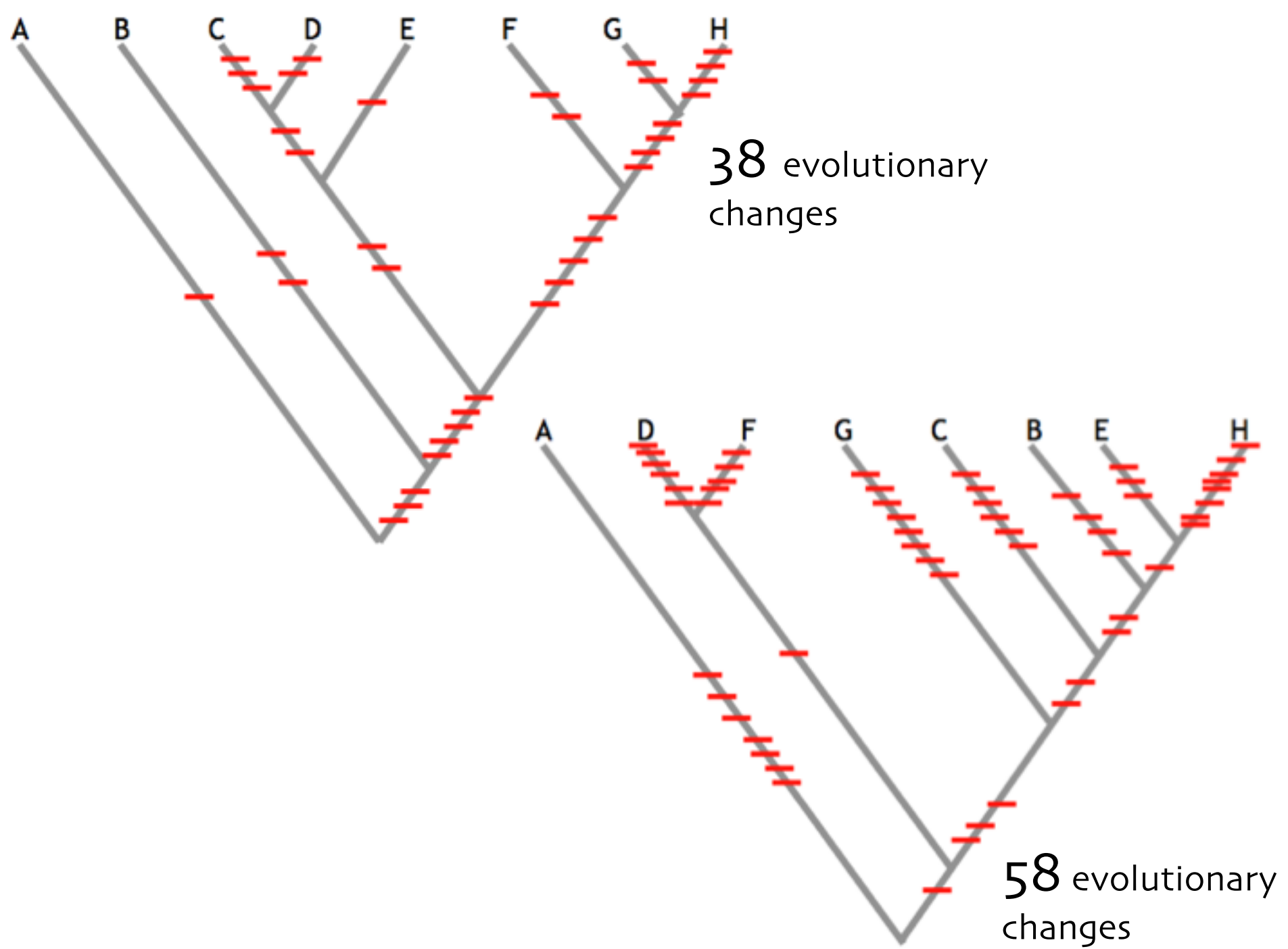
characters

trees	0	0	0	0	0	0	0	0	0	0	1	1	1	$\Sigma$
	1	2	3	4	5	6	7	8	9	0	1	2		
1	1	1	2	2	2	2	2	1	2	2	1	2	20	
2	1	1	2	2	2	2	2	1	2	2	2	2	21	
3	1	1	2	2	2	2	2	1	1	2	2	2	20	
4	1	2	2	1	2	2	2	1	2	2	2	2	21	
5	1	2	2	1	2	2	2	1	2	2	2	1	20	
What is the CONCRETE reason for length differences between trees?														
7	1	2	2	2	2	2	2	1	2	1	1	2	20	
8	1	2	1	2	2	1	2	1	2	1	2	2	19	
9	1	2	2	2	2	2	2	1	2	1	2	1	20	
10	1	2	2	2	2	2	2	1	1	2	2	1	20	
11	1	2	2	2	2	2	2	1	2	2	1	2	21	
12	1	2	1	2	2	1	2	1	2	2	2	2	20	
13	1	2	2	2	1	2	1	1	1	2	2	2	19	
14	1	2	2	2	1	2	1	1	2	2	2	2	20	
15	1	2	1	2	1	1	1	1	2	2	2	2	18	



# CHARACTER CONGRUENCE





# CHARACTER CONGRUENCE

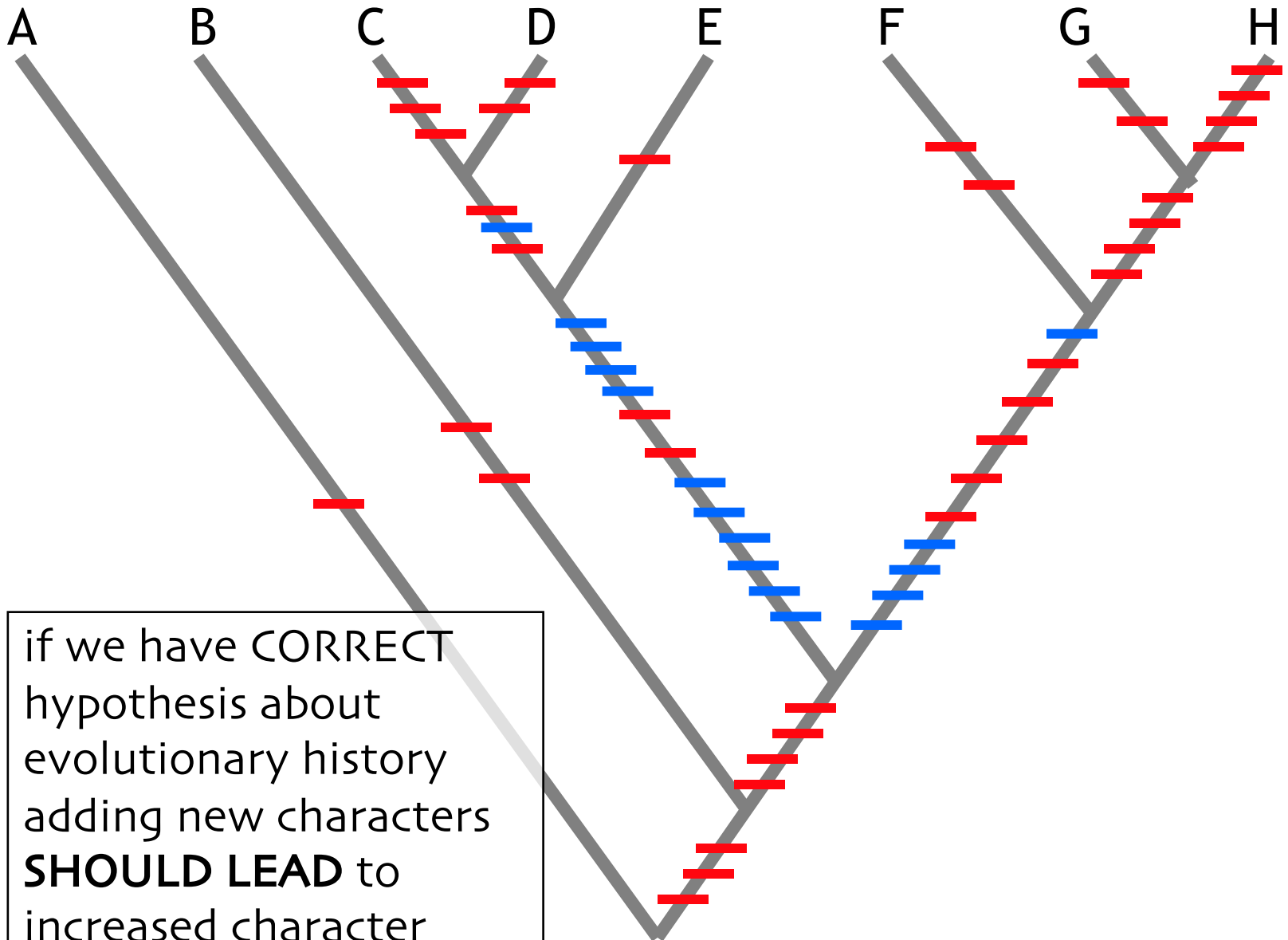


is the concrete reason for the fact that we find short tree(s)

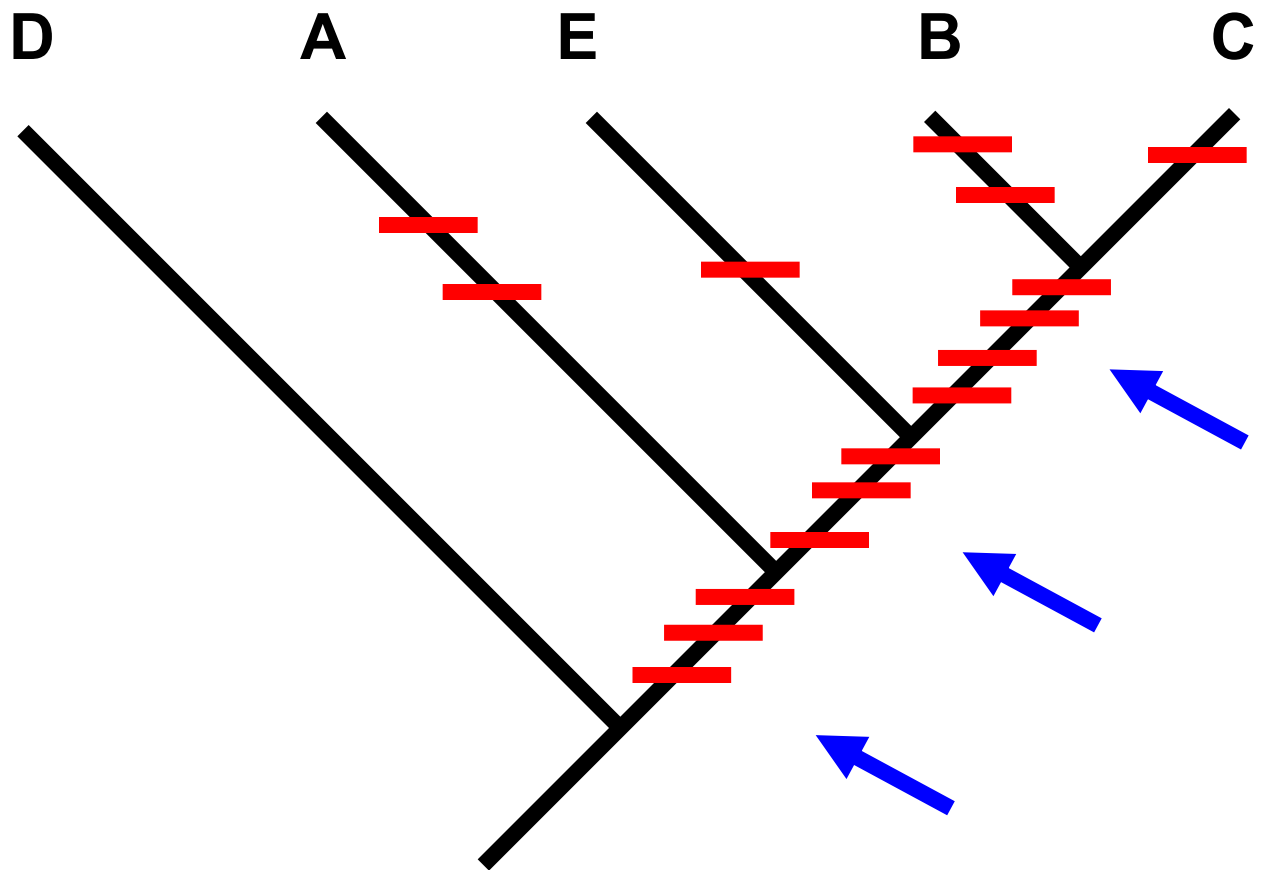
on the shortest tree evolutionary changes are

CONGRUENT, i.e. CONCENTRATED ON SAME  
BRANCHES of the tree (less homoplasy)

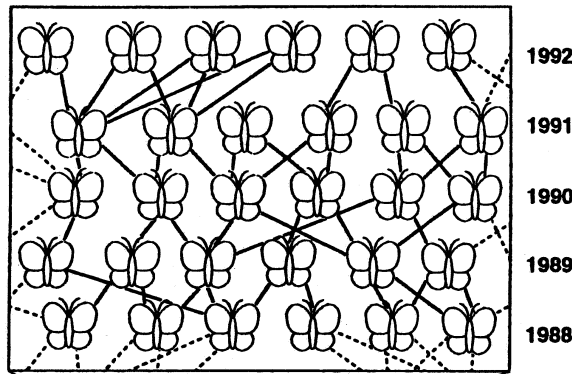
1. Is this accidental?
2. Or have we possibly found a hypothesis that is a good approximation about evolutionary history and this is why so MANY characters are congruent?



if we have CORRECT hypothesis about evolutionary history adding new characters **SHOULD LEAD** to increased character congruence

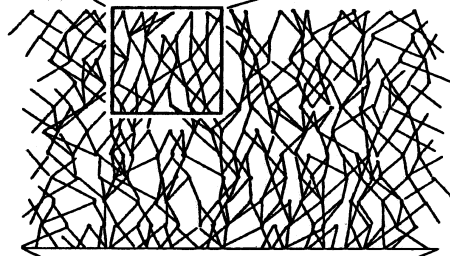


TOKOGENY  
VS.  
PHYLOGENY



INDIVIDUAL

S



POPULATIONS

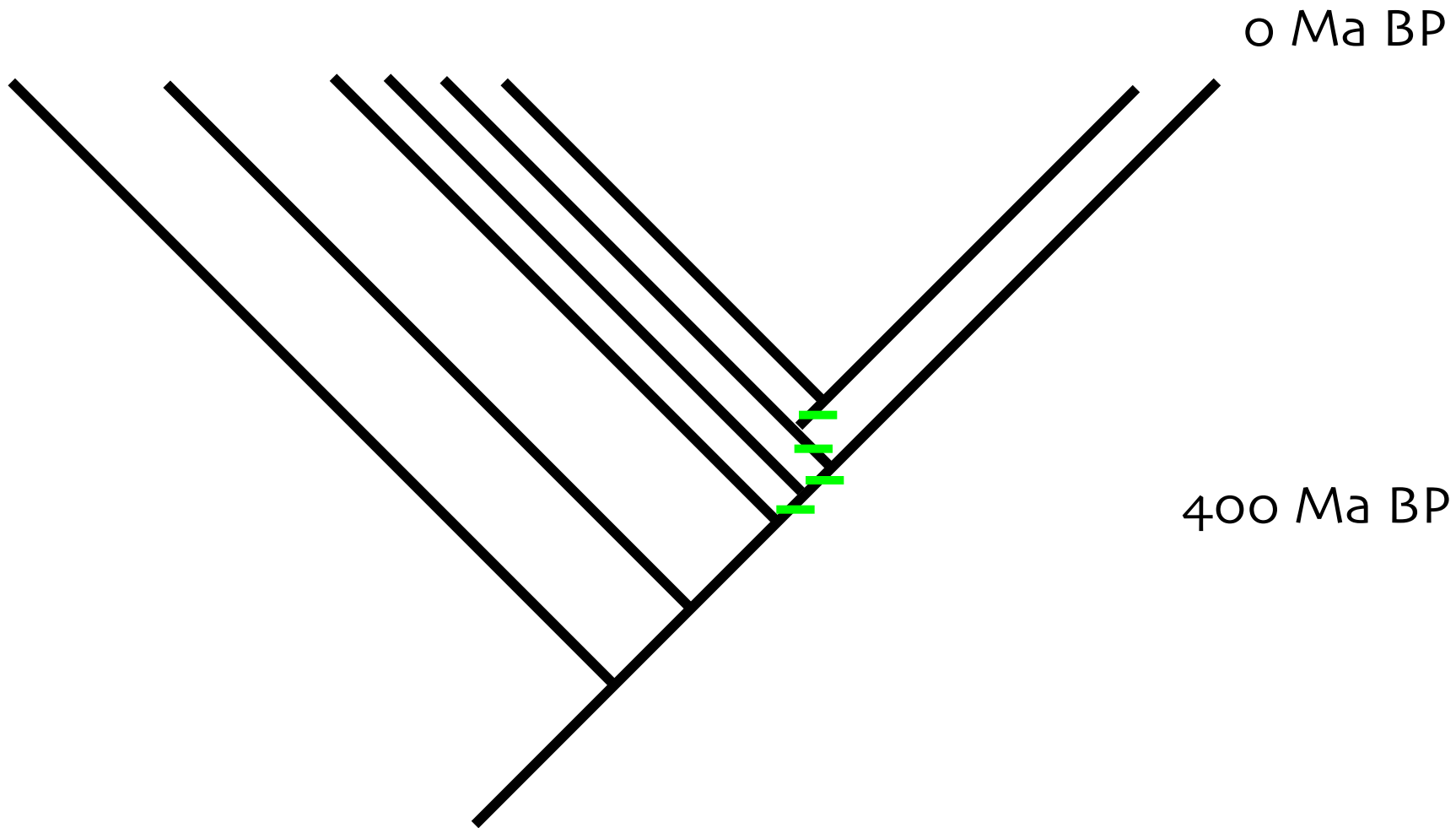


SPECIES

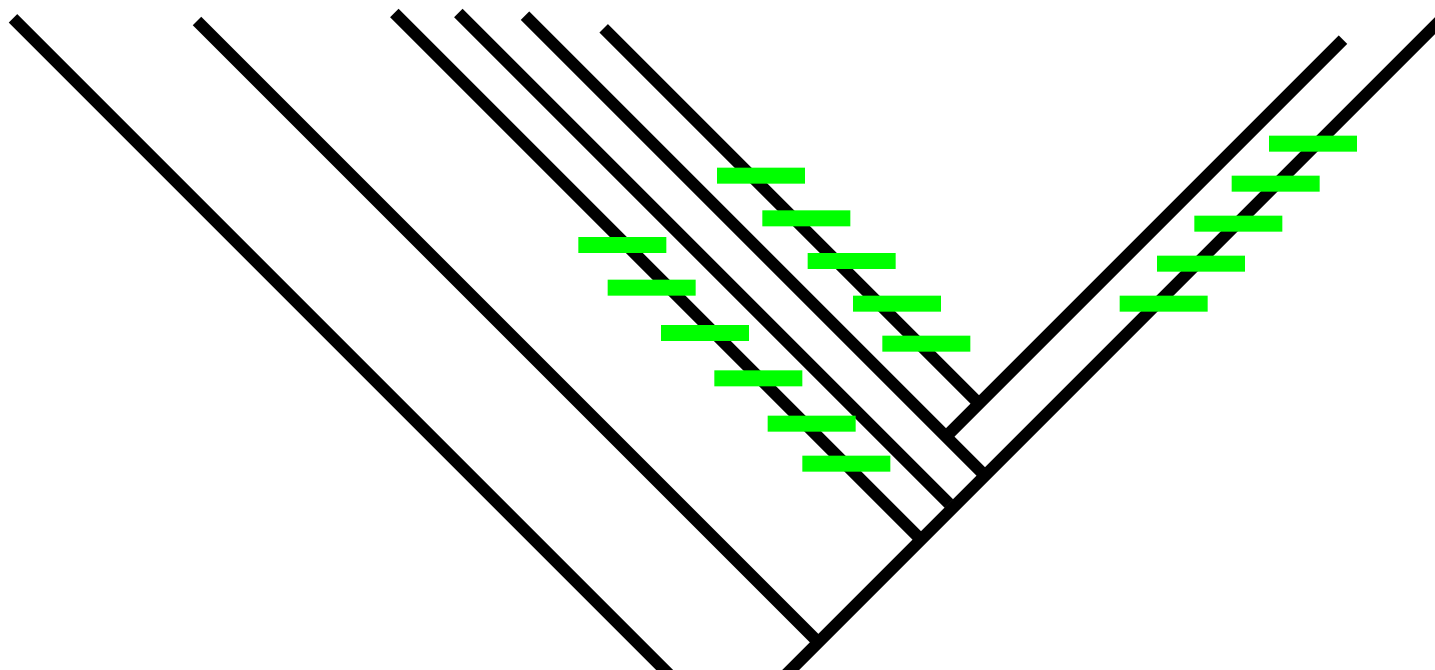
VERY RECENT events of evolutionary history  
NO lineages, NO historical signal

phylogeny

evolutionary **process**  
evolutionary **pattern**



0 Ma BP

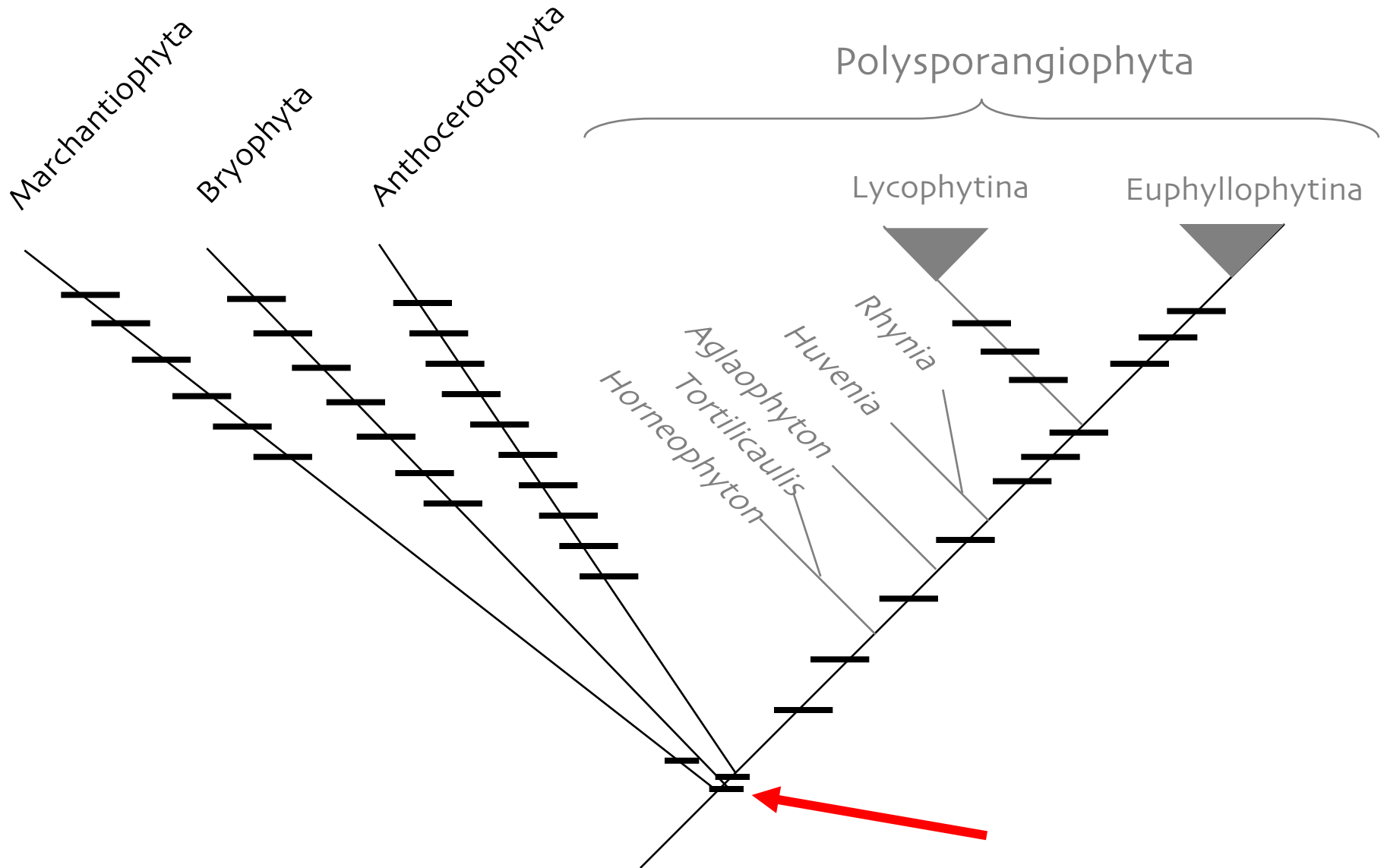


400 Ma BP

...or such VERY OLD lineages that have diverged from each other VERY RAPIDLY  
SHARED HISTORY, as compared to the one that followed, is very short



# EMBRYOPHYTES



# SUMMARY

Wagner algorithm is fast & efficient way for finding close estimate of the parsimonious tree

order of addition of terminals affects performance of the algorithm

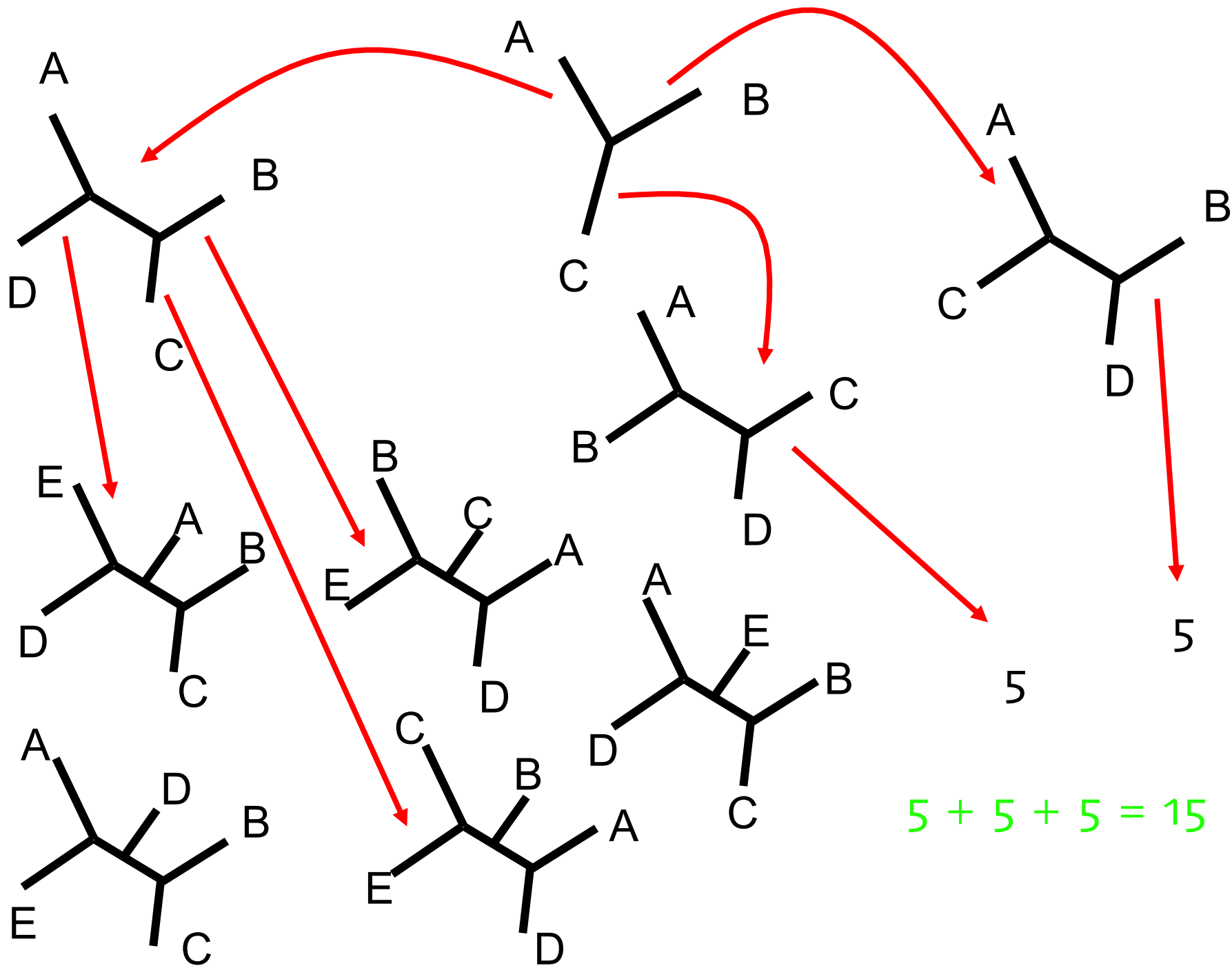
apo- & plesiomorphies can be distinguished using **OUTGROUP comparison**

concrete reason for length differences between trees is character **CONGRUENCE**

for how many characters does the SAME tree give simplest (=parsimonious) evolutionary explanation

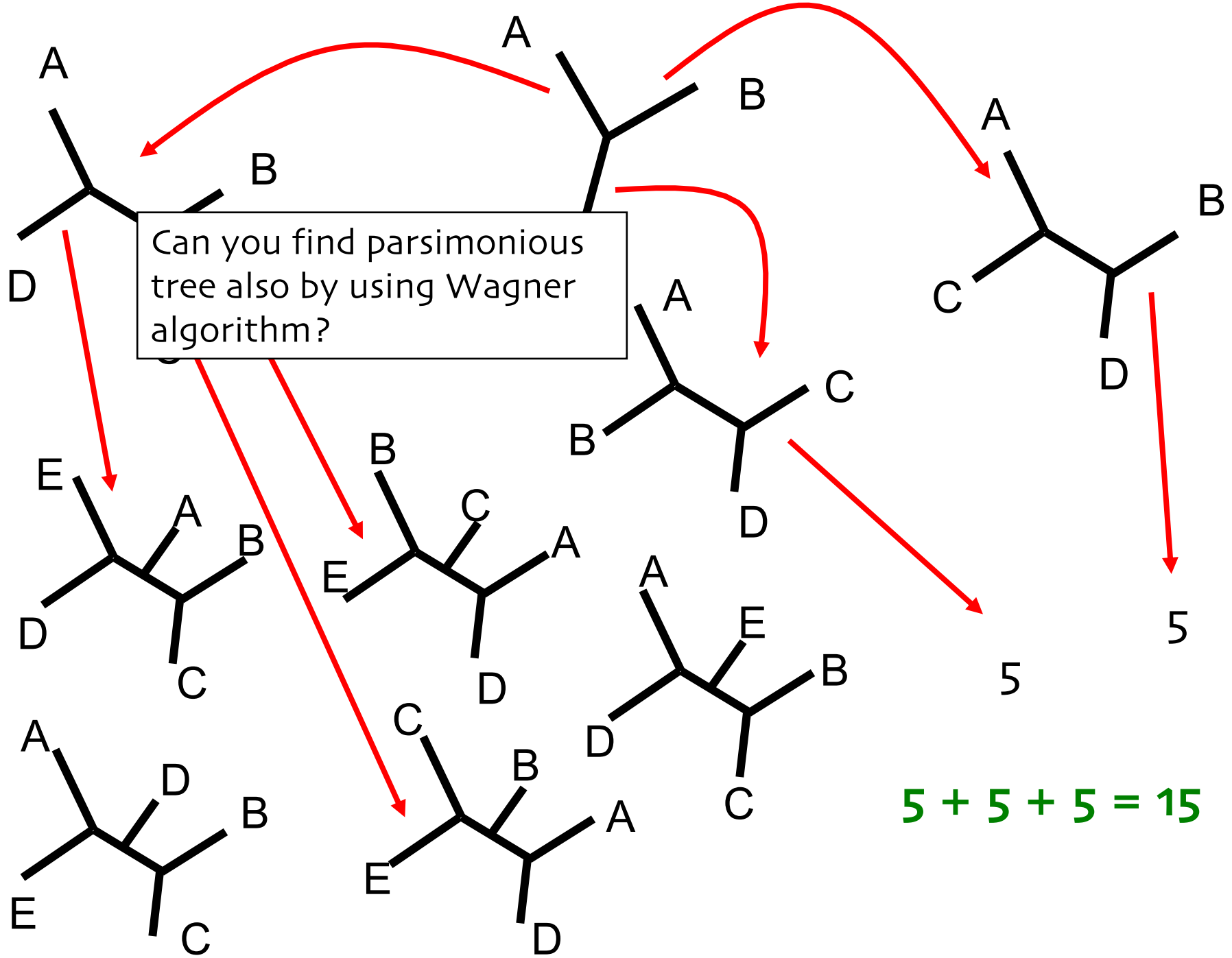
analyses will ALWAYS reveal homoplasy

**HOMOLOGY** is the NULL hypothesis for resemblance between terminals



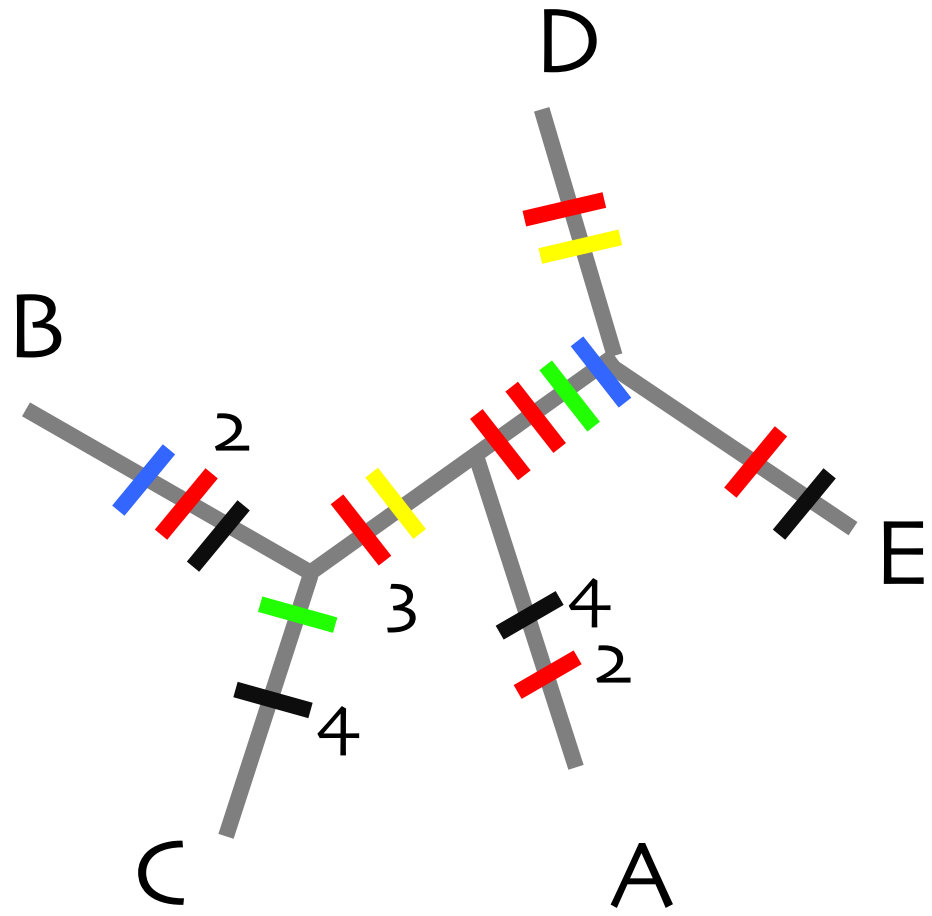
# HOME EXERCISE

	characters												
	0	1	2	3	4	5	6	7	8	9	10	11	12
terminals													
A	0	1	0	1	1	1	0	1	1	1	1	1	1
B	1	1	1	0	0	0	1	0	1	0	1	0	1
C	1	0	1	1	0	0	1	0	0	0	0	0	1
D	1	0	0	0	1	1	0	0	1	0	0	0	0
E	1	0	0	0	0	1	1	0	0	1	1	1	1



Can you find parsimonious tree also by using Wagner algorithm?

$$5 + 5 + 5 = 15$$



# HOME EXERCISE

lecture slides available in pdf-format  
AFTER the lectures

[www.helsinki.fi/~jhyvonen/ec18](http://www.helsinki.fi/~jhyvonen/ec18)

characters

00000000111

123456789012

terminals

A 010111011111

B 111000101010

C 101100100001

D 100011001000

E 100001100111